

Dynamic Light Scattering

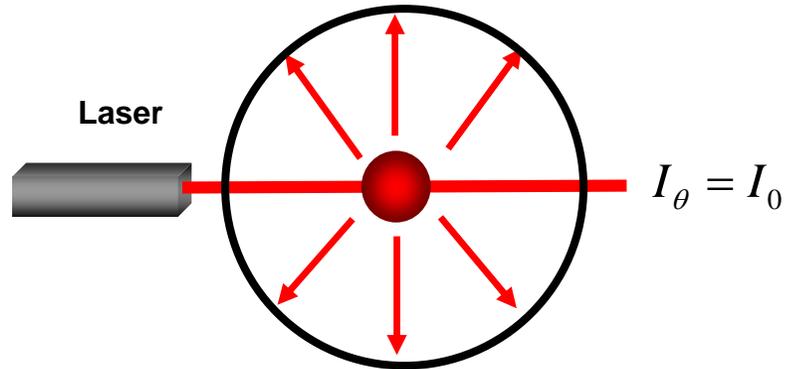
Bertrand Raynal

April 2022



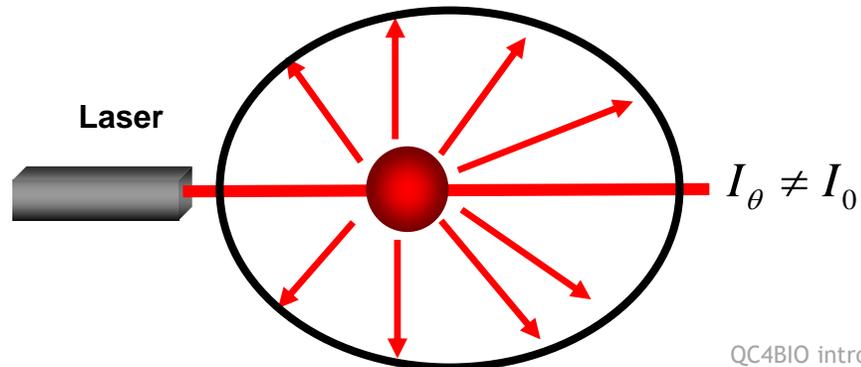
Scattering Principal

If radius <15nm



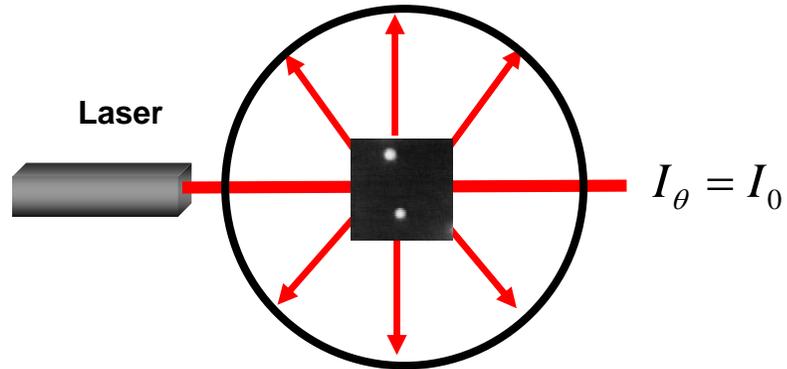
$$I_0 \propto k(dn/dc)^2 CM$$

If Radius >15nm

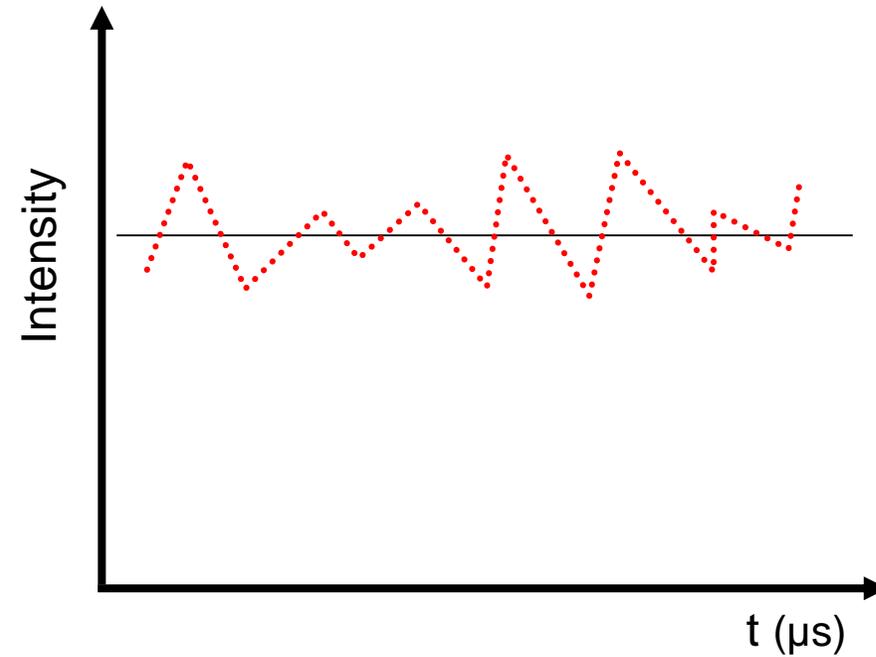
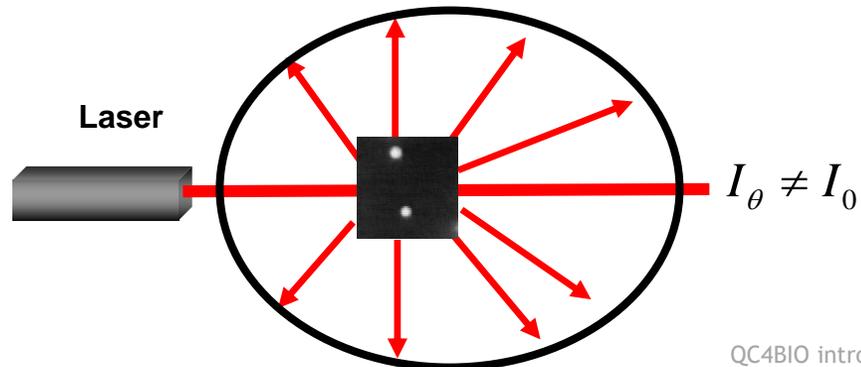


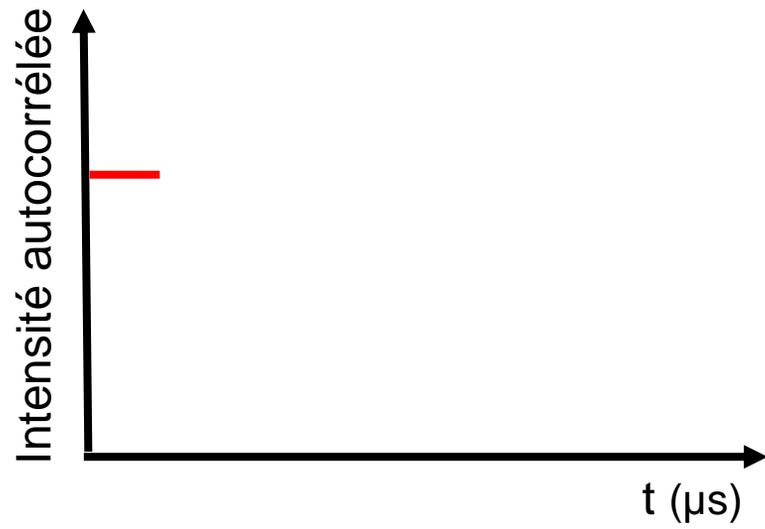
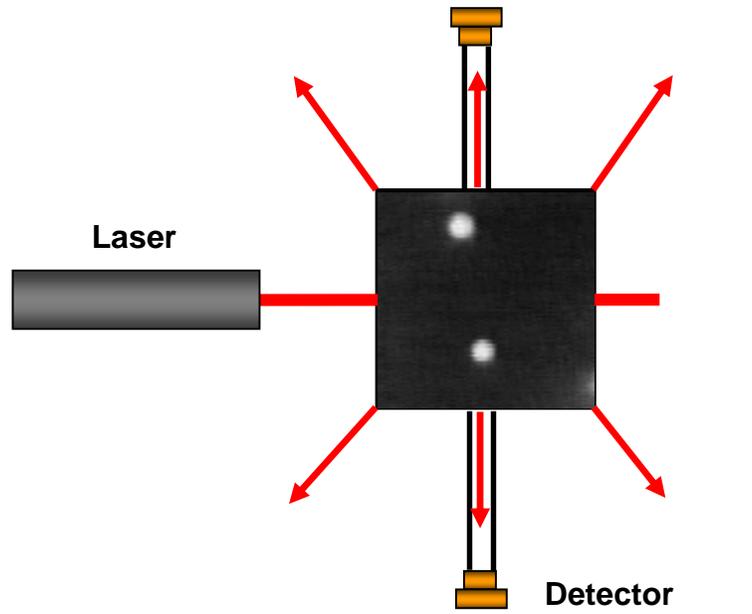
Scattering Principal

If radius <15nm

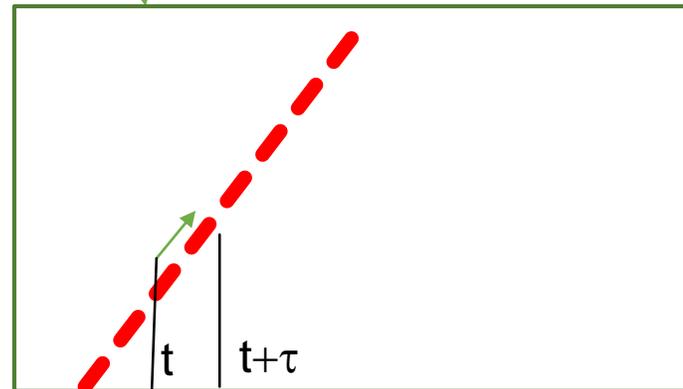
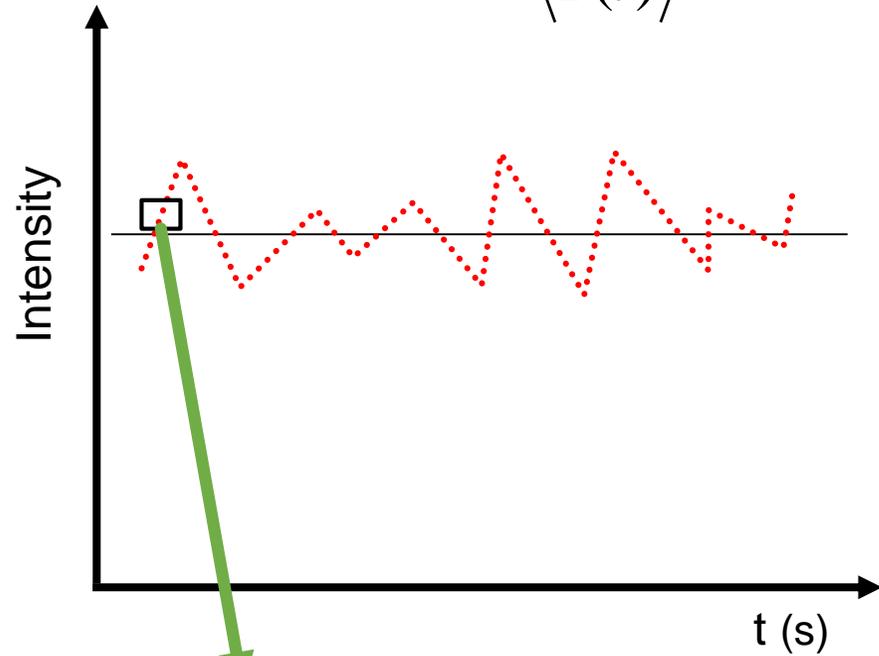


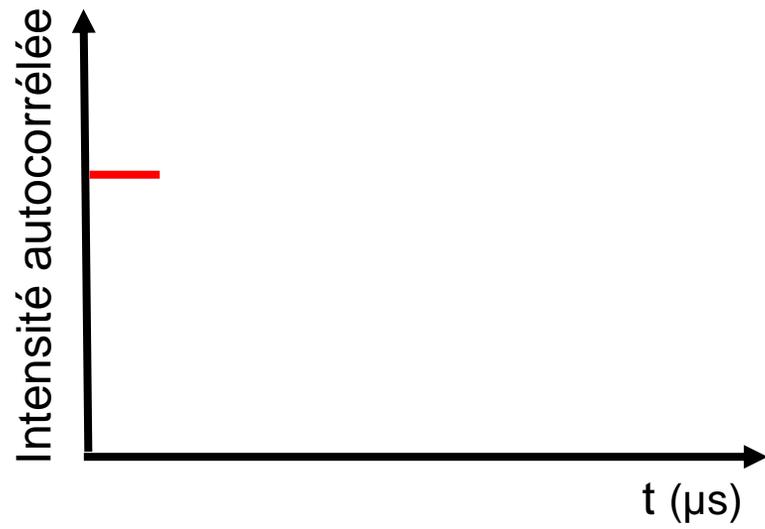
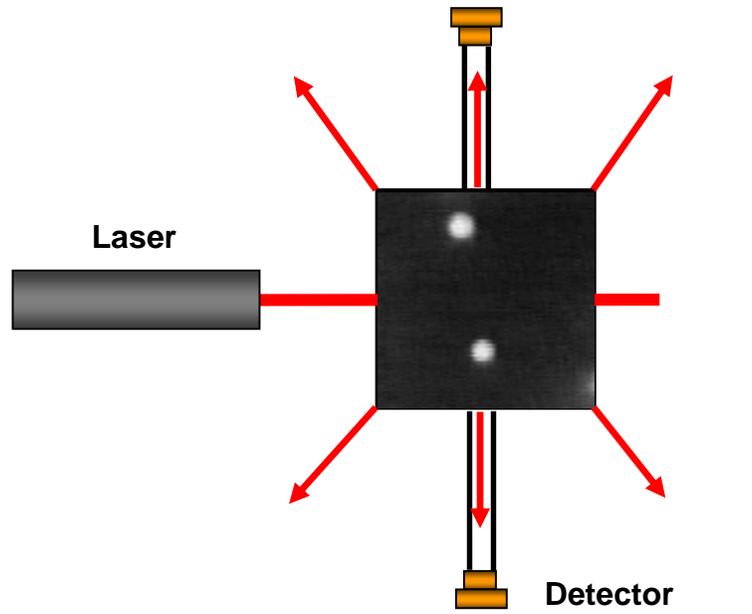
If Radius >15nm



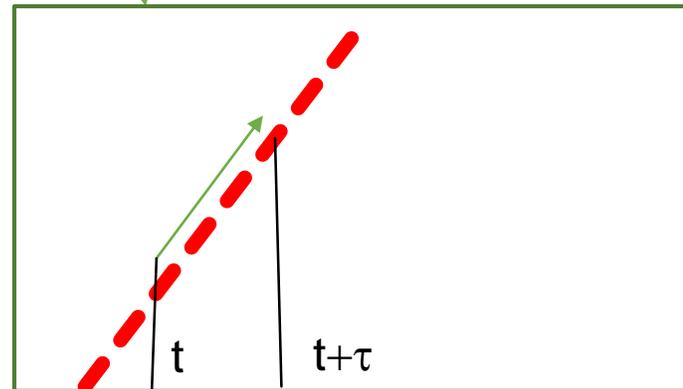
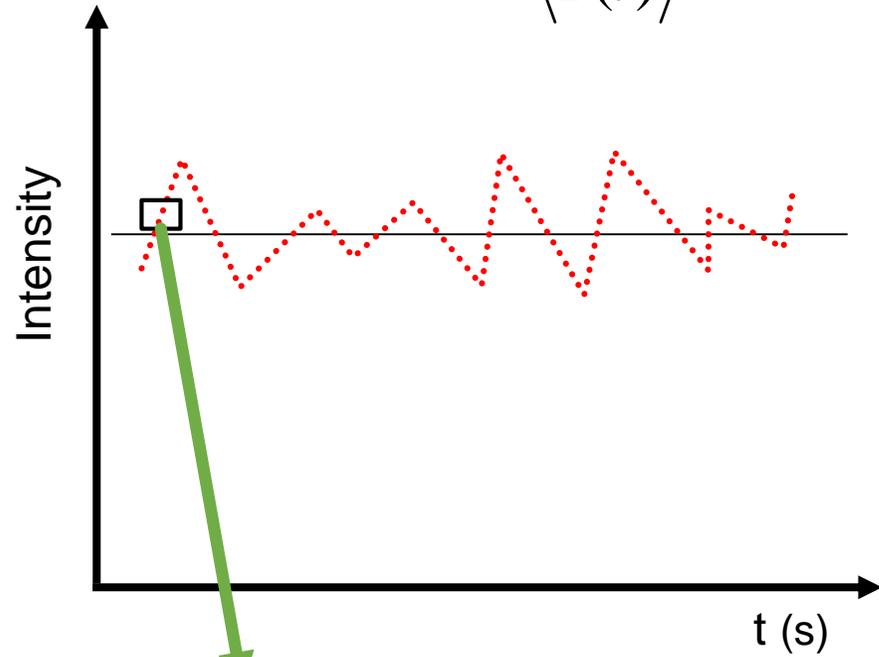


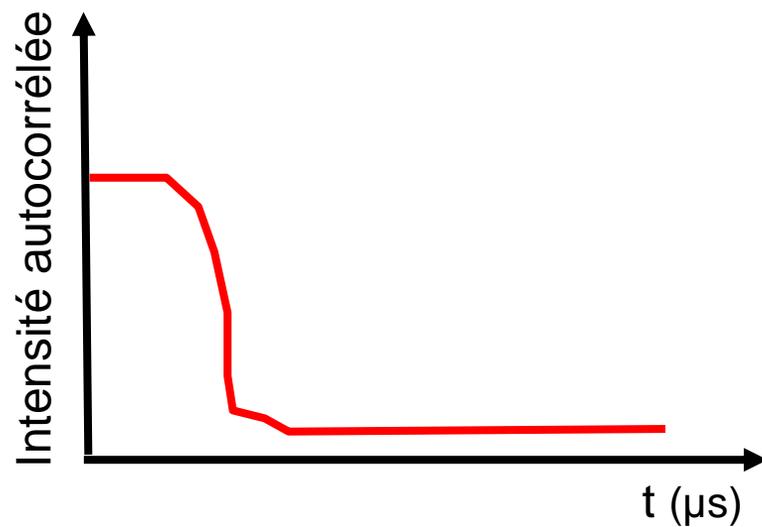
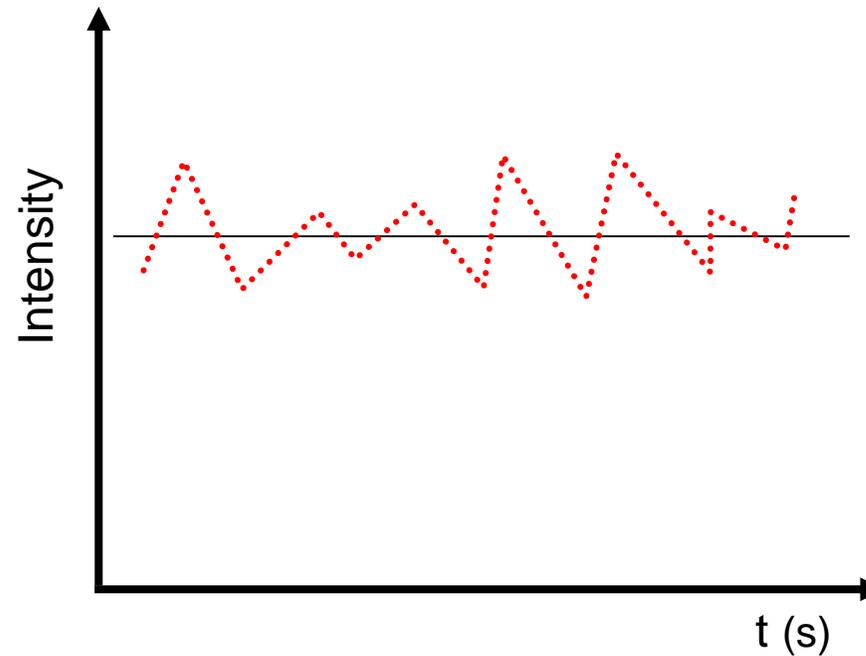
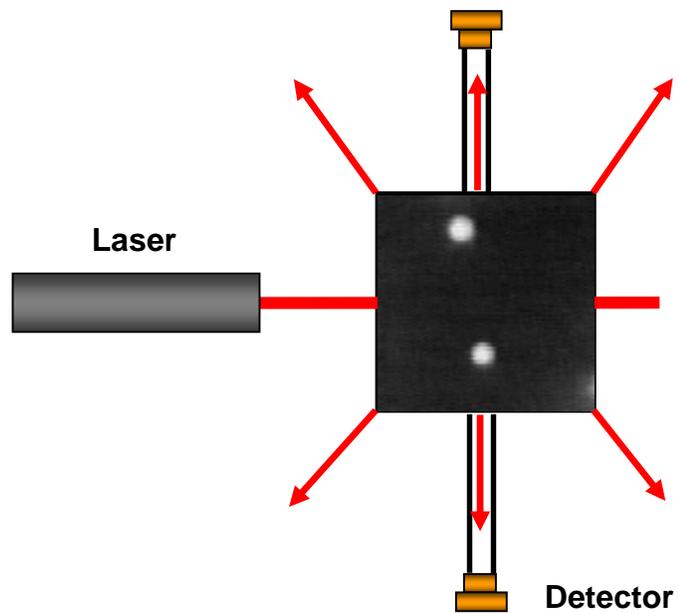
$$g^{(2)}(\tau) = \frac{\langle I(t)I(t + \tau) \rangle}{\langle I(t) \rangle^2}$$





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Monodisperse sample

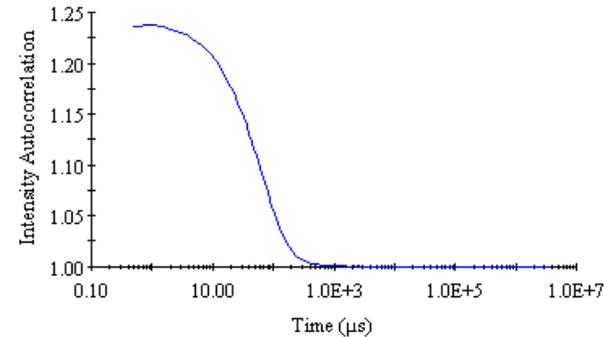
$$g^{(2)}(\tau) = B + \beta \exp\left(-2D\left(\frac{4\pi n_0}{\lambda_0} \sin\left(\frac{\theta}{2}\right)\right)^2 \tau\right)$$

Analysis of Polydisperse Samples

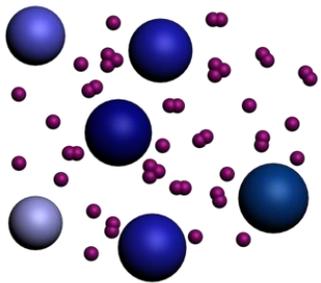
- ▶ For a *monodisperse* particle, the normalized intensity autocorrelation function is described by an exponential with a decay rate Γ :

$$g^{(2)}(\tau) = 1 + \beta e^{-2\Gamma\tau}$$

$$\Gamma = D_t q^2 \propto \frac{1}{R_h}$$



- ▶ For a *polydisperse* particle size distribution, the normalized intensity autocorrelation function is described by a sum of the autocorrelation functions of all particle species, weighed by their normalized intensities p_j :



$$g^{(2)}(\tau) = 1 + \beta \left| \sum_j p_j e^{-\Gamma_j \tau} \right|^2$$

Cumulant Expansion

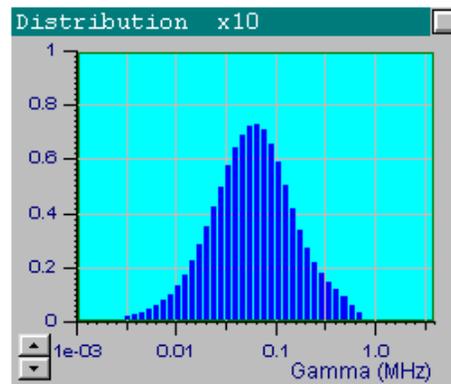
- ▶ One solution to the problem is to assume a unimodal size distribution and compute the moments of the distribution:

$$g^{(1)}(\tau) = 1 + \underbrace{\beta e^{-\kappa_1 \tau}}_{\text{1st cumulant mean}} + \underbrace{\frac{\kappa_2}{2!} \tau^2}_{\text{2nd cumulant width}} - \underbrace{\frac{\kappa_3}{3!} \tau^3}_{\text{3rd cumulant skewness}} + \dots$$

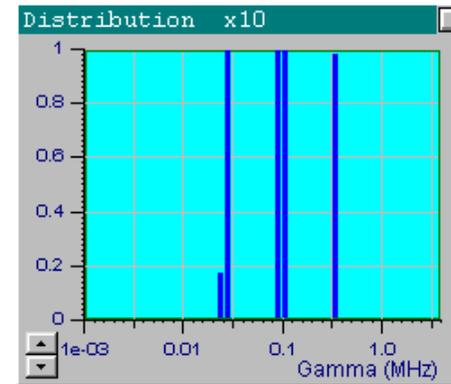
- The **first cumulant** describes the **mean decay rate** $\bar{\Gamma}$;
- Adding the **second cumulant** describes the **width of distribution of decay rates**;
- The **third cumulant** describes the **asymmetry of the distribution of decay rates**.

Distribution

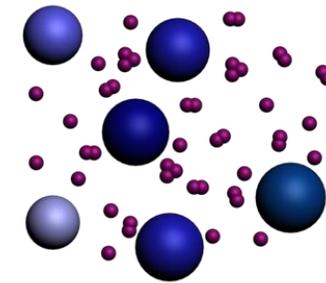
- ▶ Make assumptions about the distribution:
 - ▶ All scattering amplitudes are positive: the number of particles cannot be negative.
 - ▶ Choose the “smoothest” solution: the decay rate (and particle size) distribution is rather continuous than discrete.



continuous

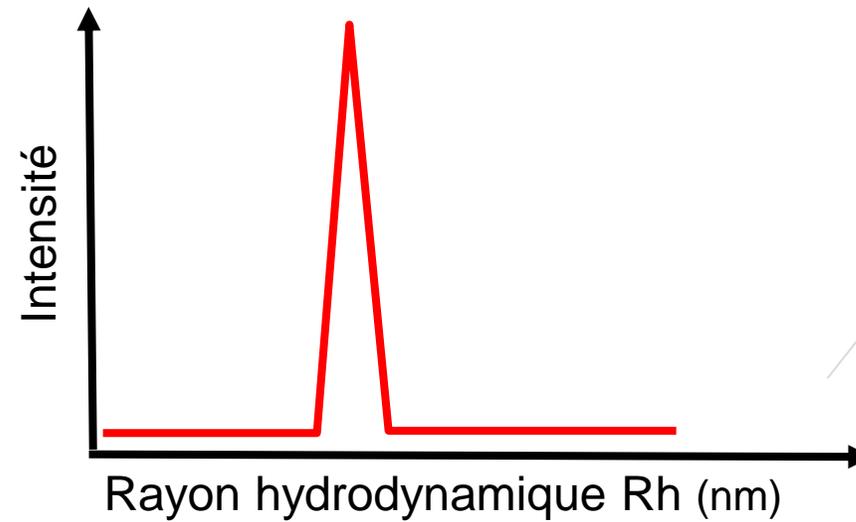
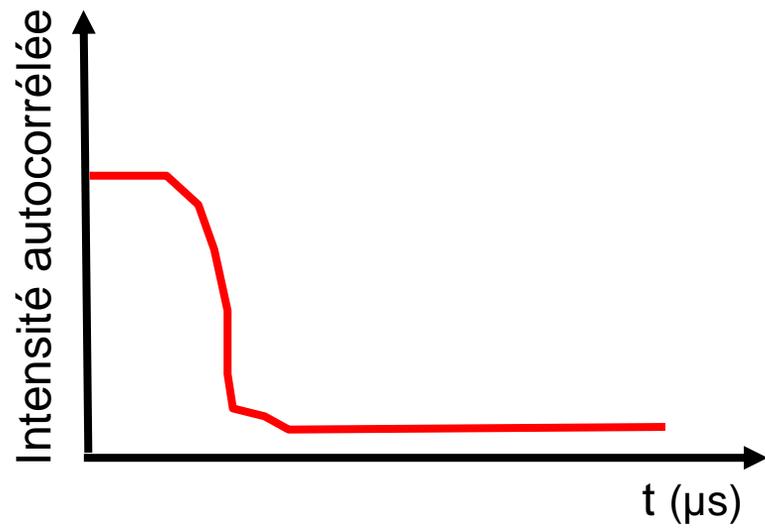
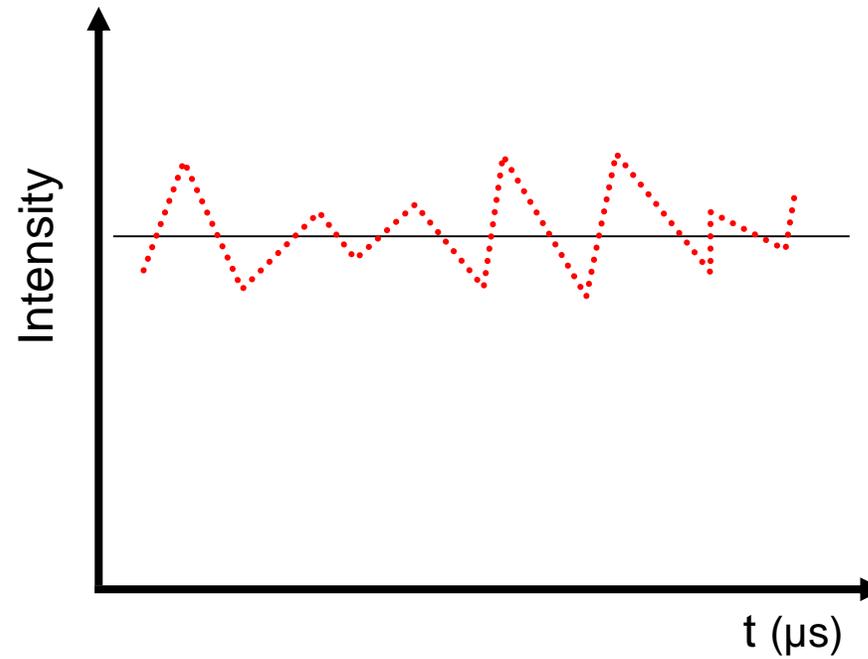
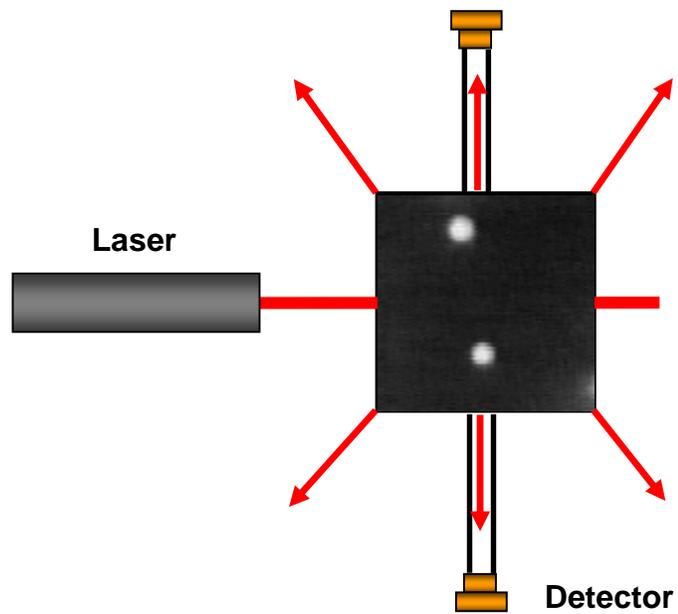


discrete

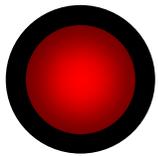


- ▶ Mathematically this means the software adds a term to the least squares fit:
- ▶ α is called the *regularizer*

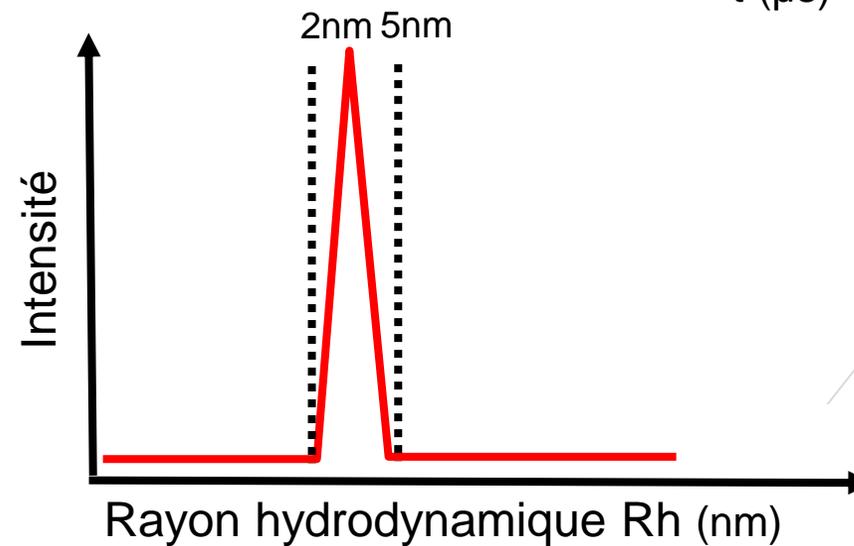
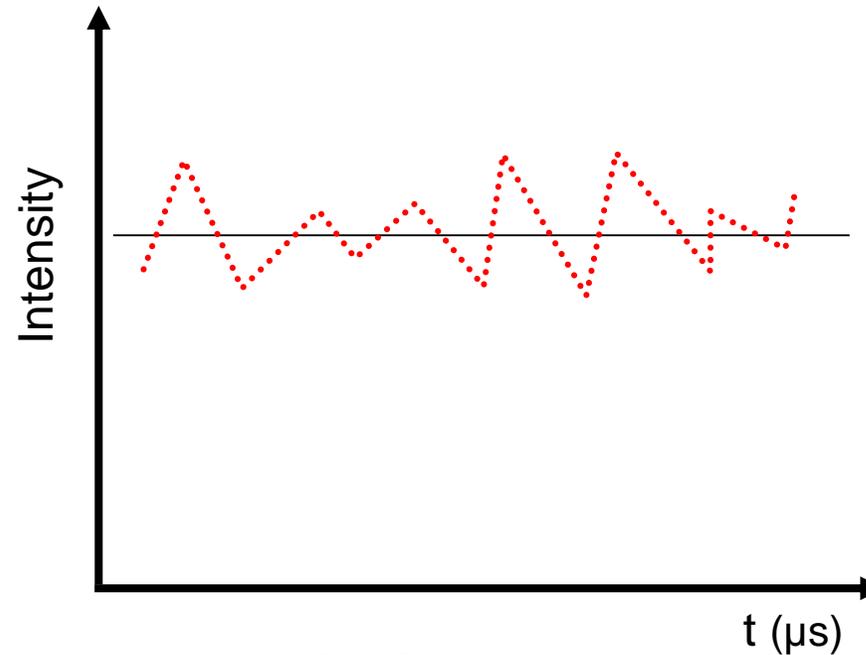
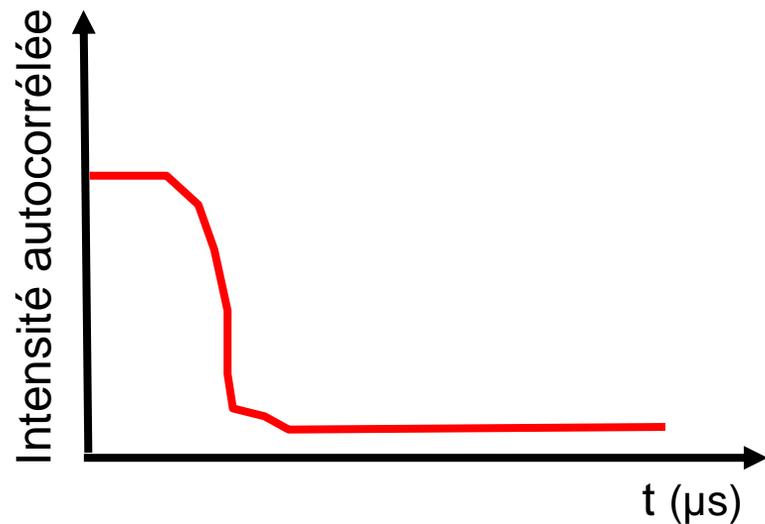
$$\alpha \sum_n (f_n - f_{n+1})^2$$



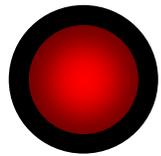
The hydrodynamic radius R_h is the radius of the sphere that diffuse at the same speed than molecule of interest.



BSA
Monomer 3.4nm
Dimer 4.5nm



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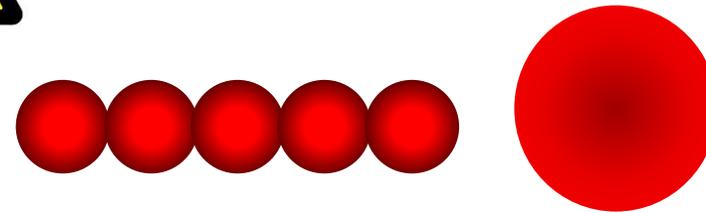
BSA

Monomer 3.4nm

Dimer 4.5nm



DLS does not measure mass

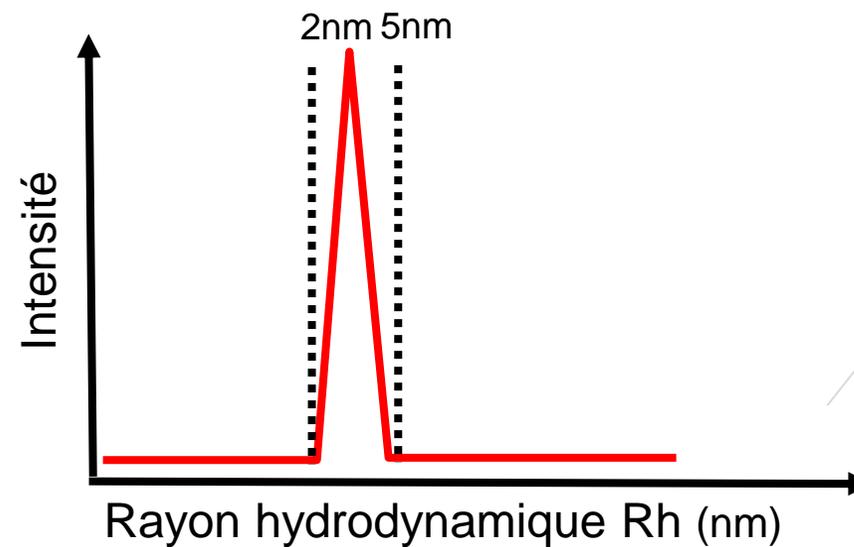


Rh 5.5nm

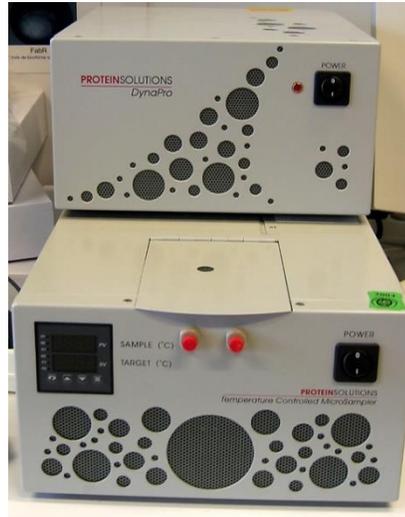
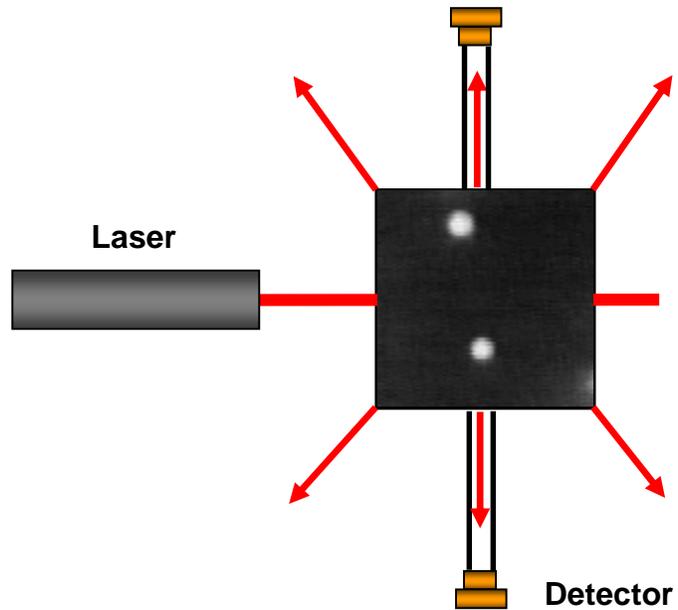
M 150kDa

5.5nm

300kDa

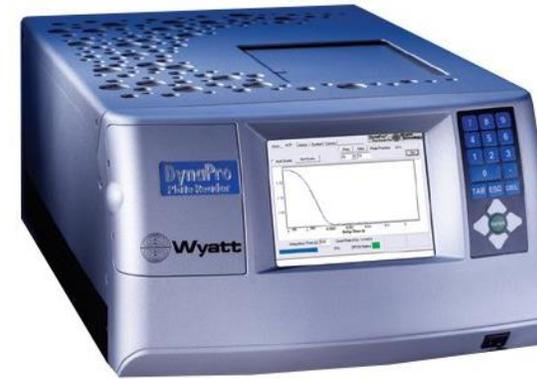


Dynamic Light Scattering Instruments



DynaPro MS-800 (Wyatt)

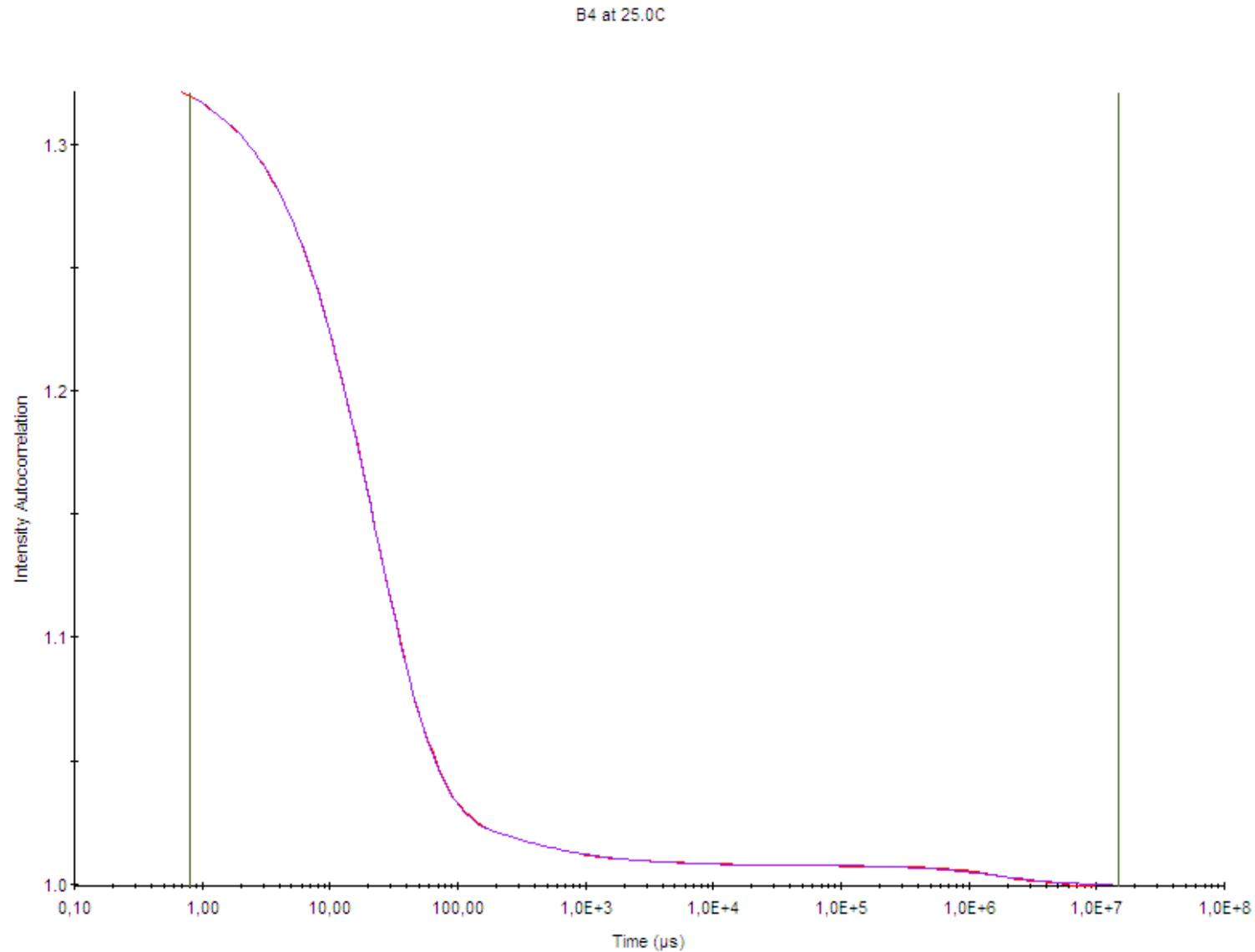
Cuvette One by one



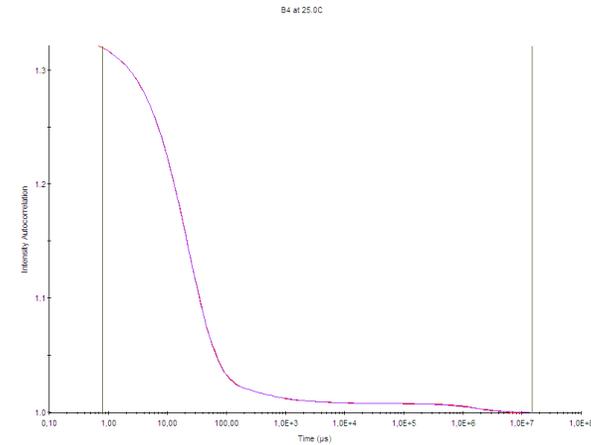
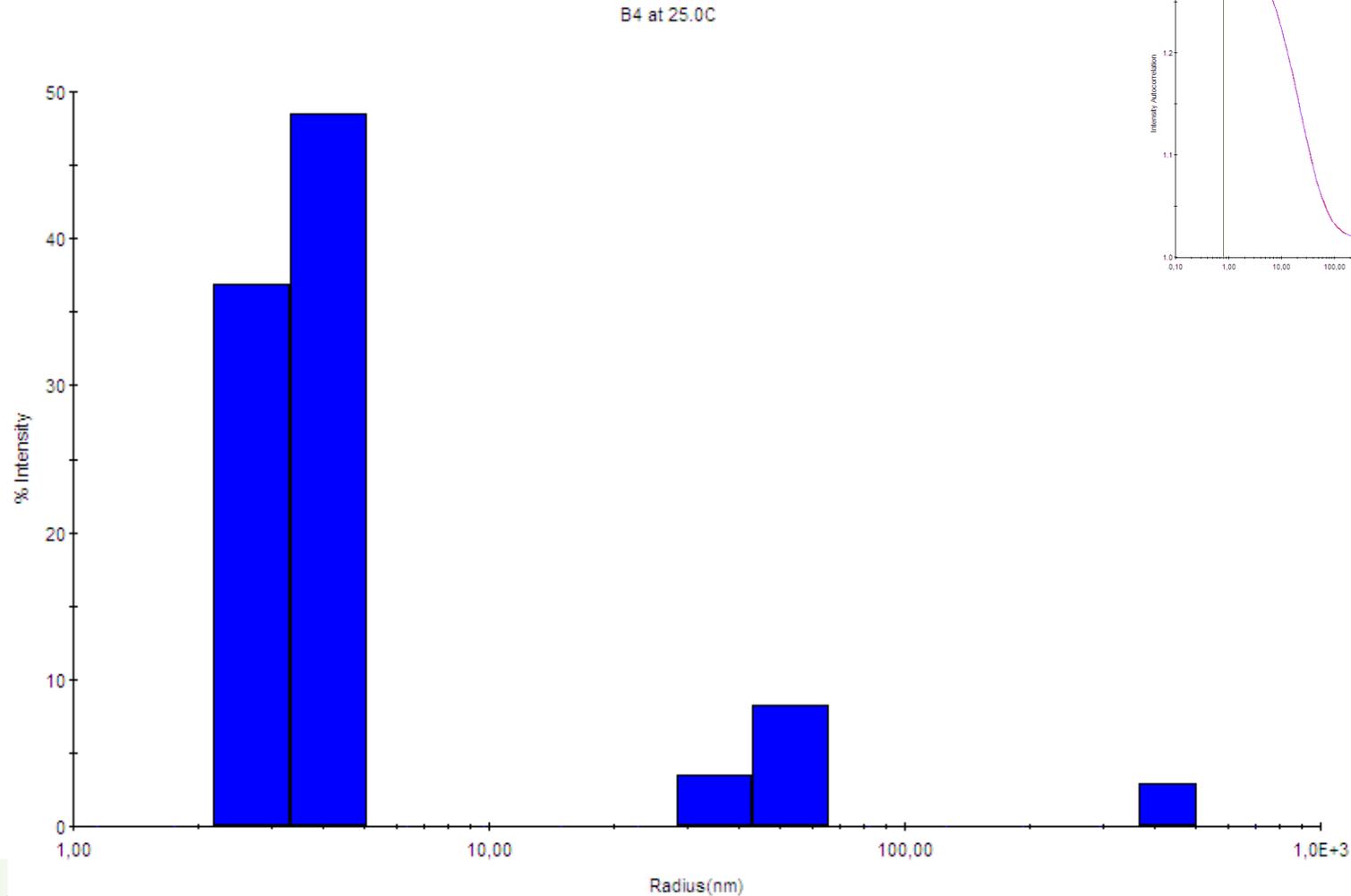
DynaPro plate reader III (Wyatt)

Plate up to 1536 wells

Real Data

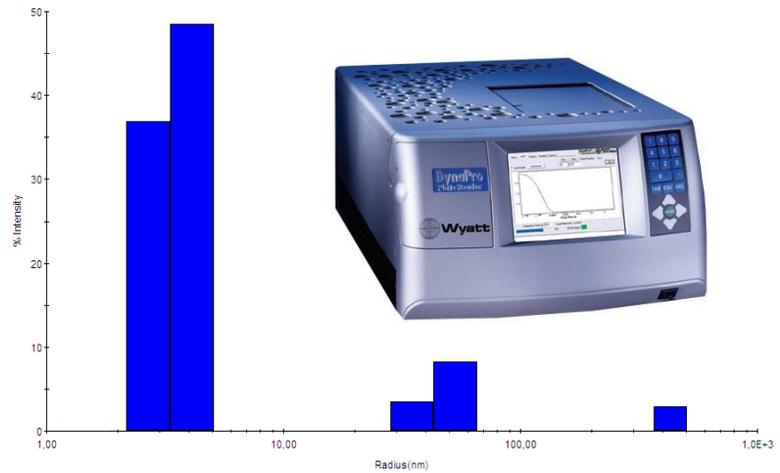


Real Data



Conclusion on the technique

Dynamic light scattering (DLS)



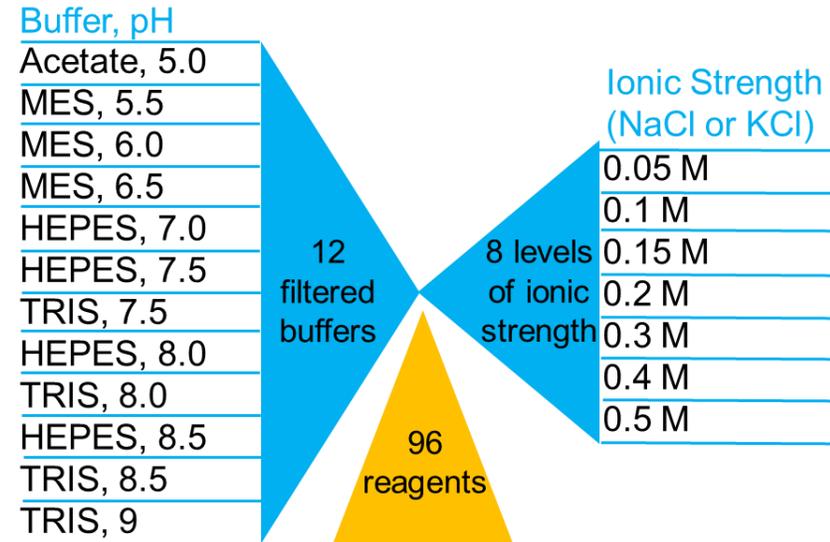
$$I_0 \propto k \left(\frac{dn}{dc} \right)^2 CM$$

- Detect low amount of aggregates
- Low resolution does not distinguish between monomer and dimer

Long term stability, experimental condition, storage condition

Dynamic light scattering (DLS)

- Can detect low amounts of aggregates
- Plate of different buffer solutions (pH, salt type and amount, buffer type)
- Fully automated plate reader can measure 96 conditions in 6 hours



2ul of sample in 18ul of buffers

Questions ?