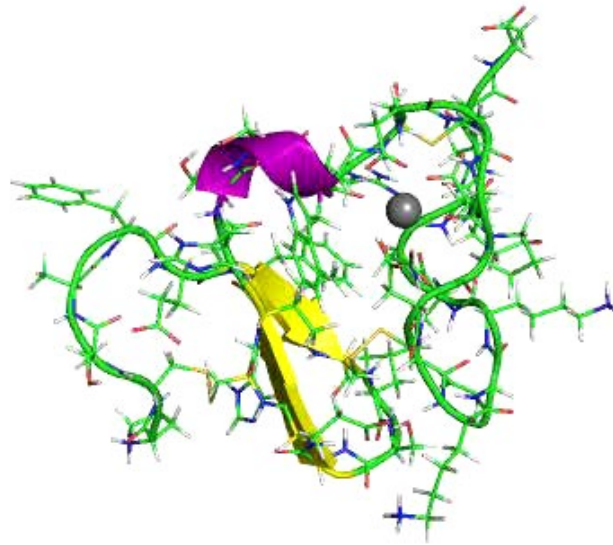


DAY 3 (5 July, 2023) 15:00/17:00

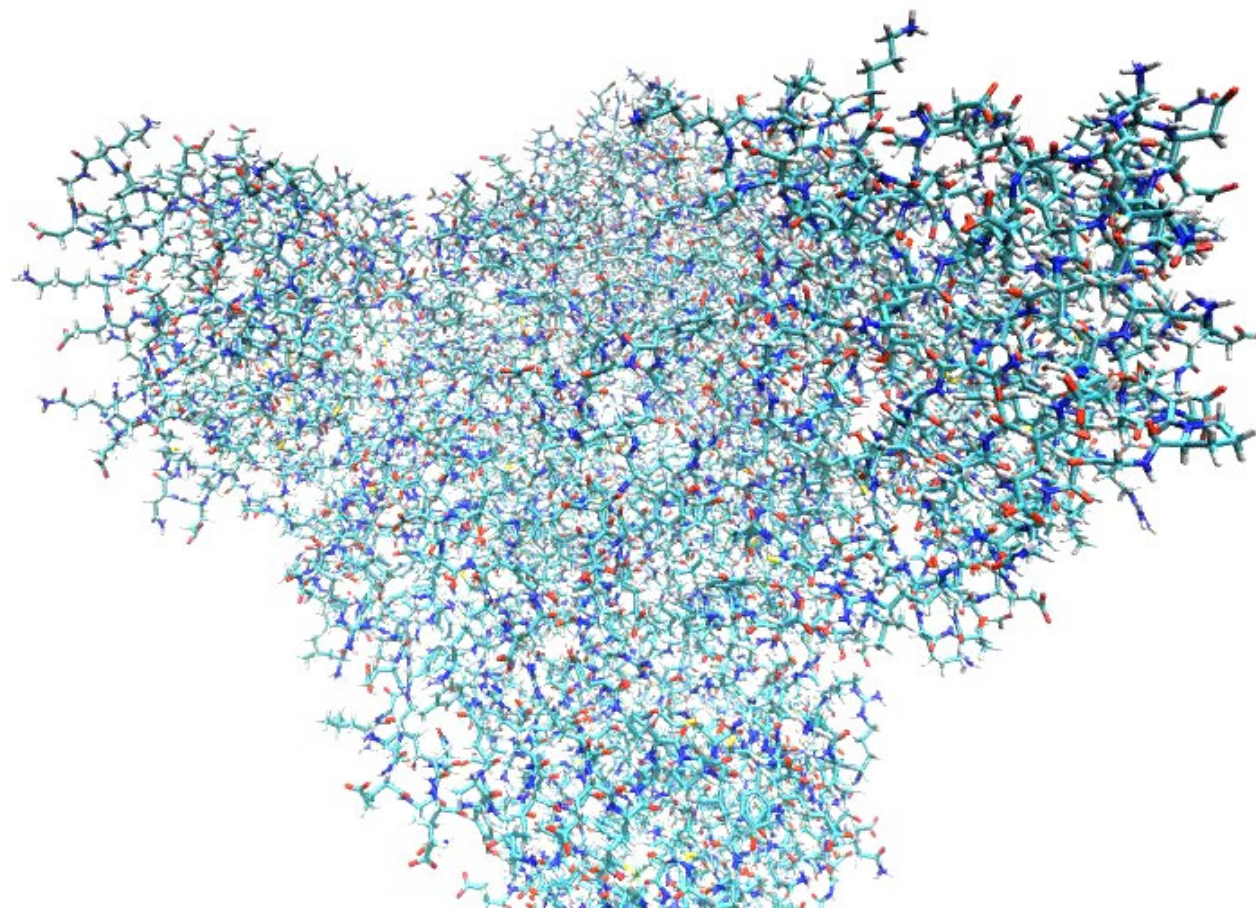
Molecular Dynamics simulations and stability calculation

Javier Sancho

- ▶ MD simulations
- ▶ Observing unfolding: relaxation MD
- ▶ Calculation of ΔH and ΔC_p
- ▶ Calculation of ΔG
- ▶ Biophysical insight
- ▶ Calculation of $\Delta\Delta G$

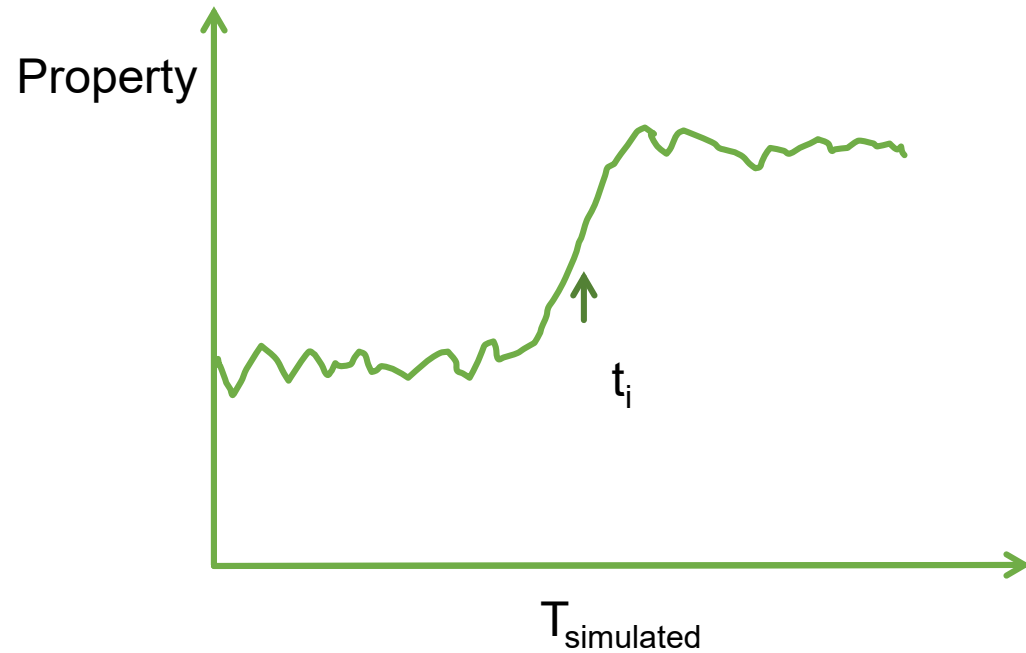


LR5 from LDL receptor (wt)



MCAD (K304E)

► Observing unfolding: relaxation MD



A change is modeled in the WT structure (usually an AA substitution) and the variant protein is simulated to observe how/if its conformation relaxes into something different (e.g. it unfolds)

► Observing unfolding: relaxation MD

Variation

- RMSD / TM-score / RMSDist
- RMSF

Structure

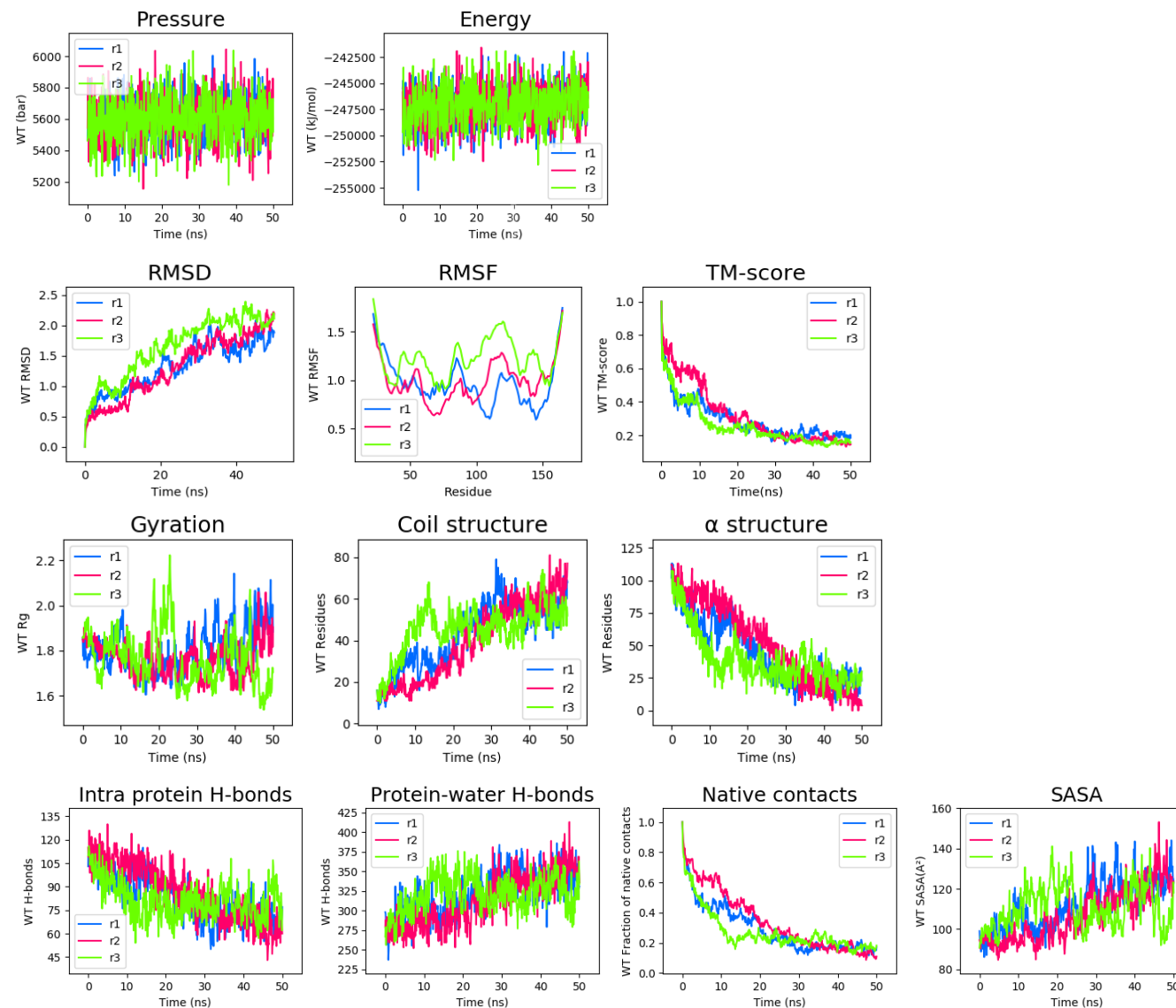
- Radius of gyration
- SASA
- Secondary structure

Interactions

- Hydrogen bonds
- Native contacts

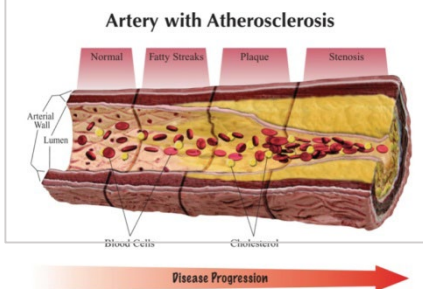
Energetics

- Energy
- Pressure

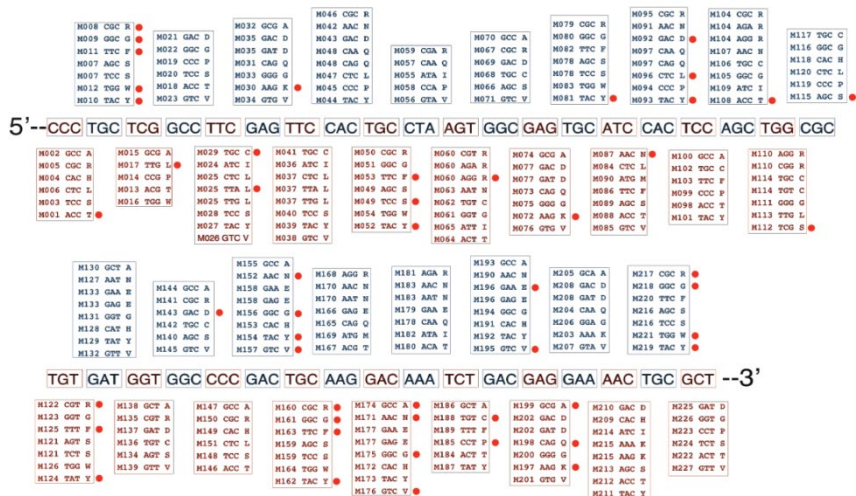


- ▶ Observing unfolding: relaxation MD

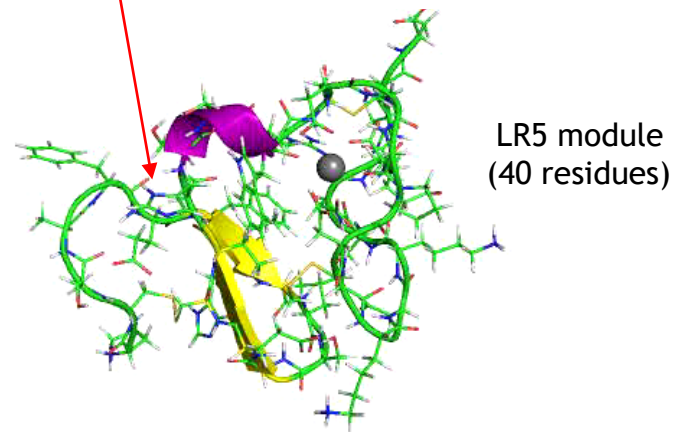
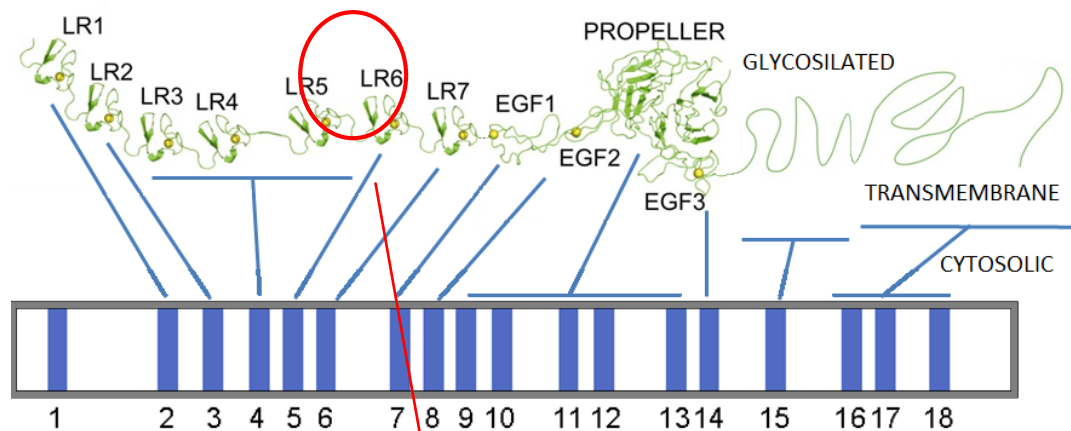
Heterozygous
FH
1 in 500 people



227 possible AA point mutations
arising from SNPs in LR5



LDL receptor



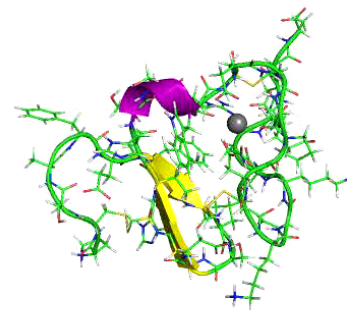
Computational diagnosis of protein conformational disease: Short MD simulations reveal a fast unfolding of r-LDL mutants that cause Familial Hipercolesterolemia. S. Cuesta-López, F. Falo & J. Sancho. *Proteins*. 66:87-95 (2007).

► Observing unfolding: relaxation MD

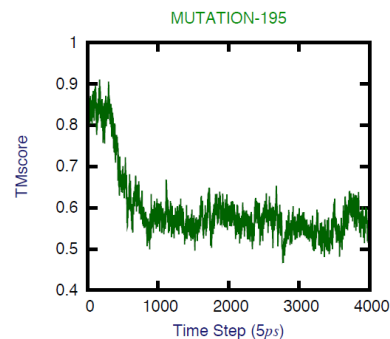
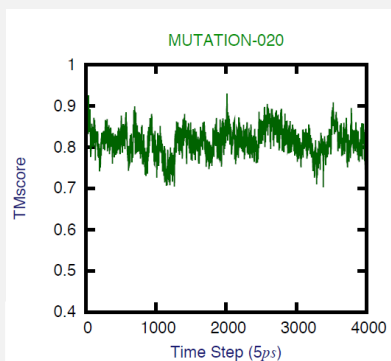
System configuration for Molecular Dynamics

- Mutants generated from crystal structure (PDB: 1ajj) with SCWRL for rotamer selection
- Solvation in a cubic box (~ 5500 TIP3 molecules) and neutralization with Na⁺ counterions (blue spheres)
- Preparation phase: 3 ns of step-descending minimization/equilibration steps
- Production phase: 20 ns of Langevin MD simulations using NAMD and CHARMM periodic boundary conditions and PME

A total of 6 μ s simulation (865 khours of CPU time run in the MareNostrum Computer during 3 years).



INDIVIDUAL TM-SCORES

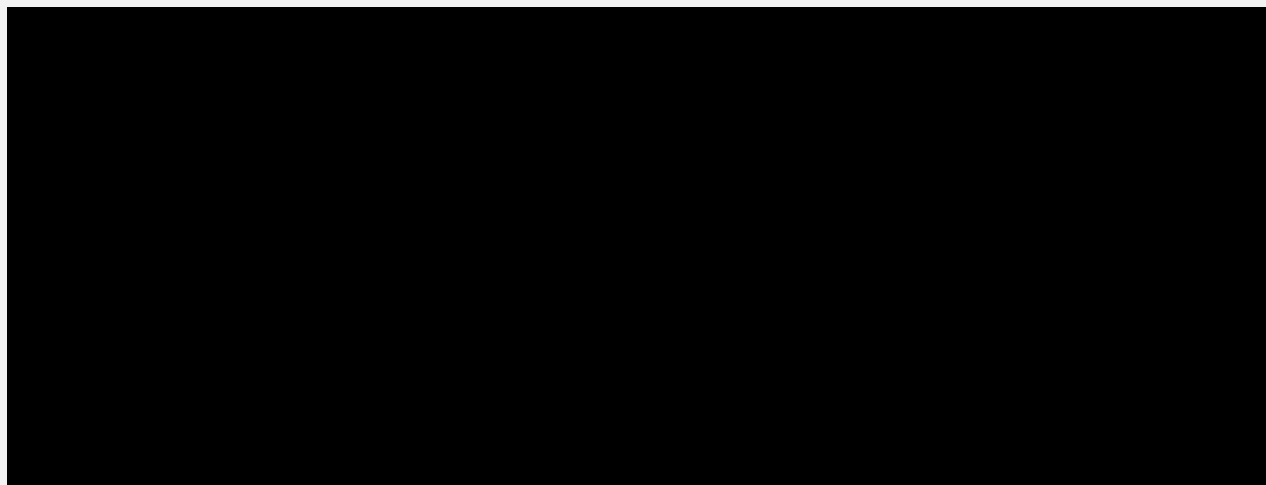


Principal component analysis (PCA)

Frequency (**low**, **high**) of conformations along the simulation

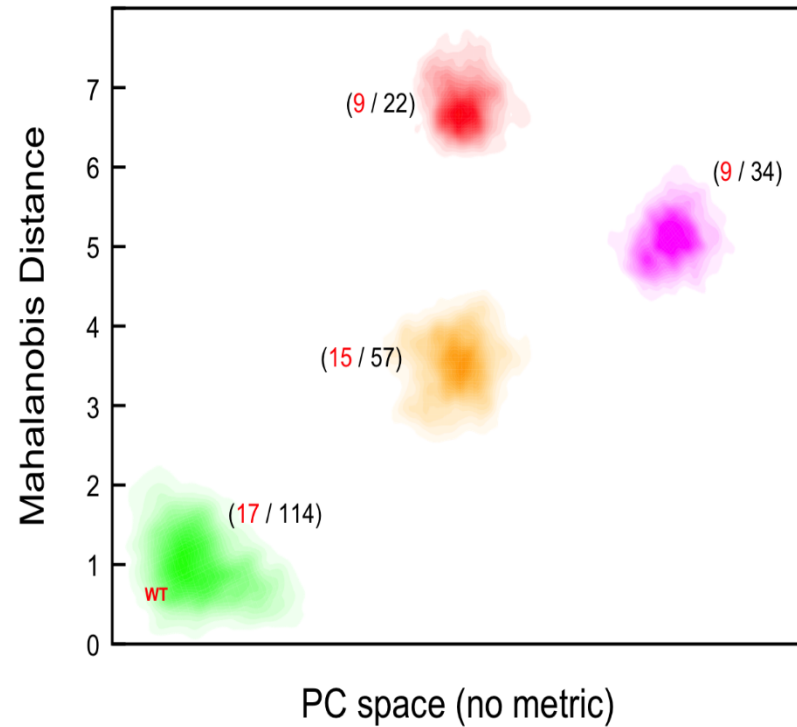
STABLE MUTATION

UNSTABLE MUTATION



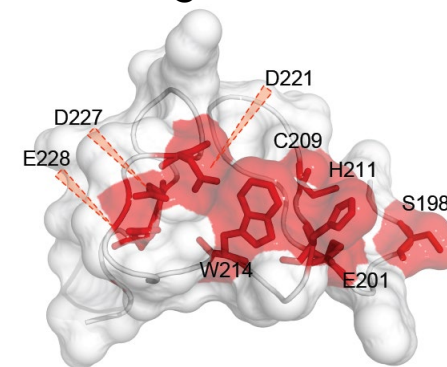
► Observing unfolding: relaxation MD

Clustering of 227 mutants from a meta trajectory
and distribution of **50 known FH mutations**



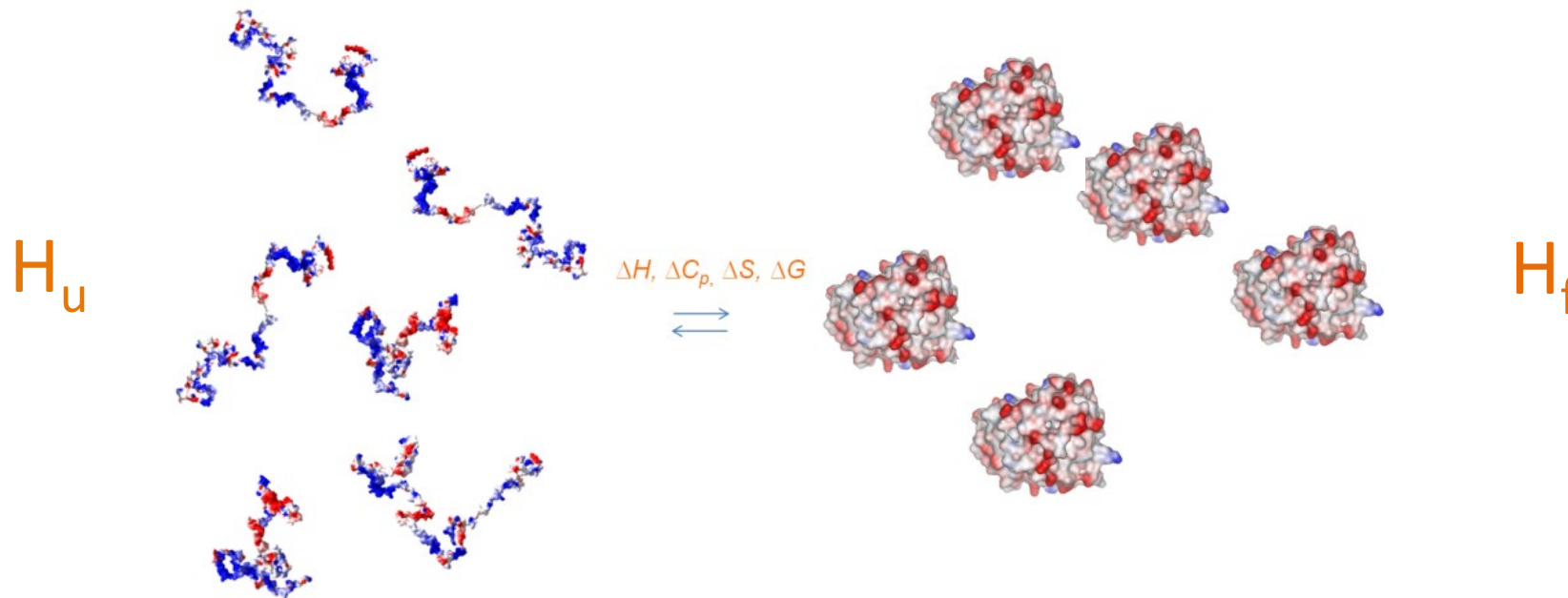
wt → mt	wt → mt	Index	PMUT	CONDEL	Cluster	Phenotype
GCC→TCC	A199{178}S	M020	N	N	●	N
GCC→GAC	A199{178}D	M021	N	N	●	N
GCC→GGC	A199{178}G	M022	N	N	●	N
GCC→GTC	A199{178}V	M023	N	N	●	D
TTC→ATC	F200{179}I	M024	N	N	●	N
TTC→CTC						
*TTC→TTA	F200{179}L	M025	N	N	●	D
TTC→TTG						
TTC→GTC	F200{179}V	M026	N	N	●	D
TTC→TAC	F200{179}Y	M027	N	N	●	N
TTC→TCC	F200{179}S	M028	N	N	●	N
*TTC→TGC	F200{179}C	M029	N	N	●	D
*GAG→AAG	⊕E201{180}K	M030	N	N	●	D
GAG→CAG	⊕E201{180}Q	M031	N	D	●	D
GAG→GCG	⊕E201{180}A	M032	N	D	●	D
GAG→GGG	⊕E201{180}G	M033	N	D	●	D
GAG→GTG	⊕E201{180}V	M034	N	D	●	D
GAG→GAT						
GAG→GAC	⊕E201{180}D	M035	N	D	●	D
TTC→ATC	F202{181}I	M036	N	D	●	D
TTC→TTG						
TTC→TTA	F202{181}L	M037	N	N	●	D
TTC→CTC						

Residues that bear 16 out of the 17
non-destabilizing known mutations



Computational diagnosis of protein conformational disease: Short MD simulations reveal a fast unfolding of r-LDL mutants that cause Familial Hypercholesterolemia.
S. Cuesta-López, F. Falo & J. Sancho. *Proteins*. 66:87-95 (2007).

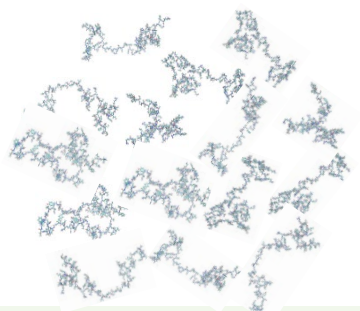
► Calculation of ΔH and ΔC_p



10 20 30 40 50 60
MANLGCWMLV LFVATWSDLG LCKKRPKPGG WNTGGSRYPG QGSPGGNRY P QGGGGWGQ P
70 80 90 100
HGGGWGQPHG GGWGQPHGGG WGQPHGGGWG QGGGTHSQWN KPSKP



ProtSA



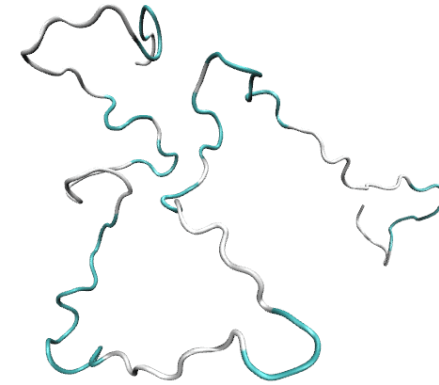
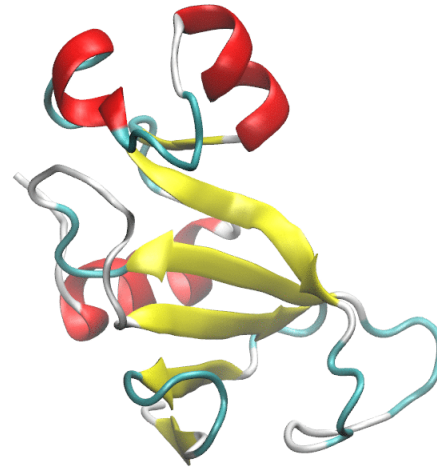
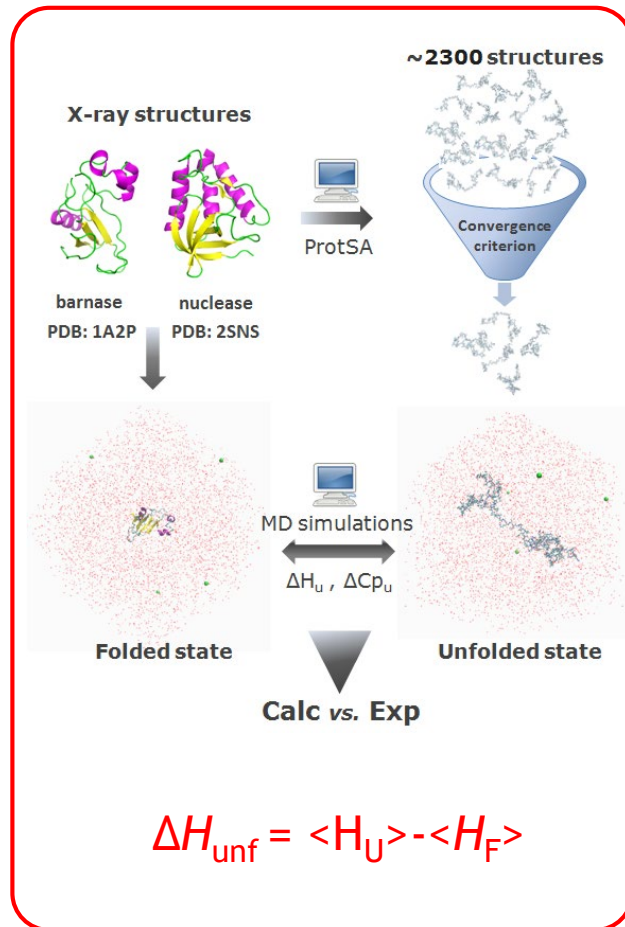
Unfolded ensemble

RCSB PDB
PROTEIN DATA BANK

Native state
X-ray structure, PDB

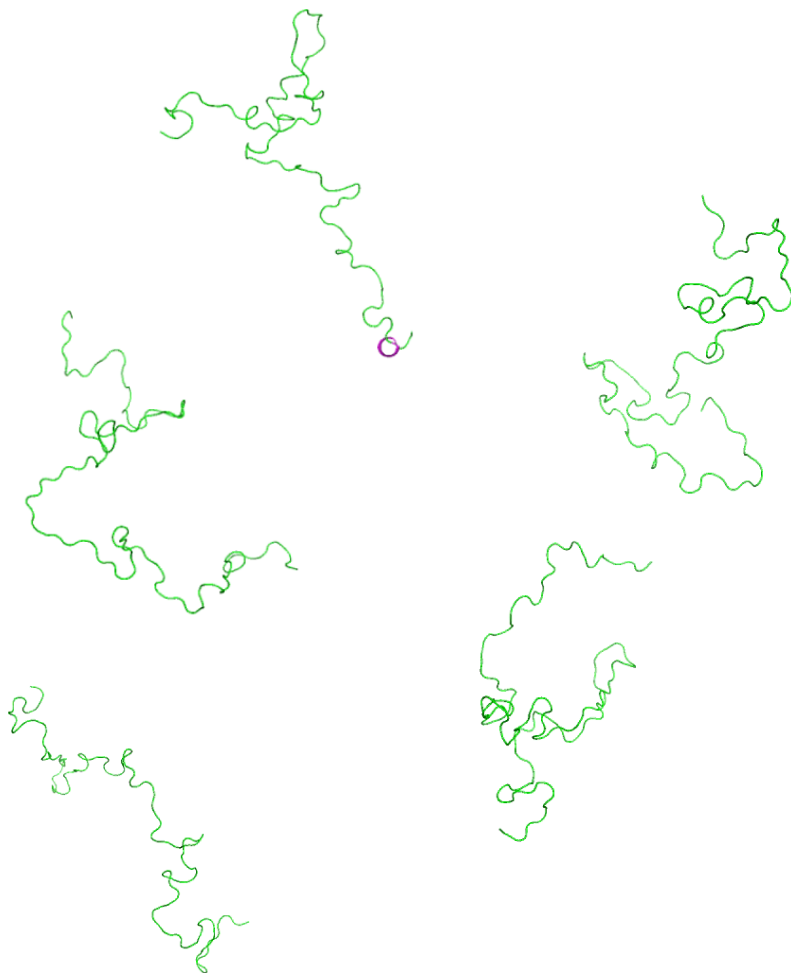
<http://webapps.bifi.es/>

► Calculation of ΔH and ΔC_p

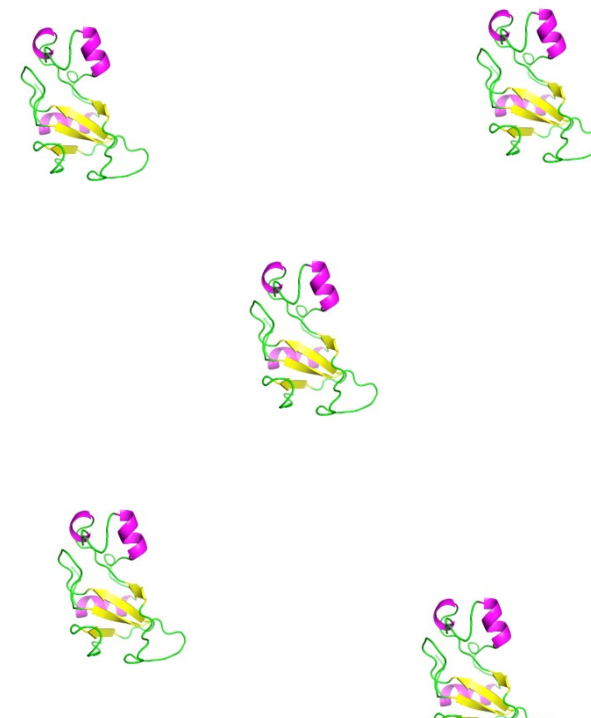


► Calculation of ΔH and ΔC_p

H_u



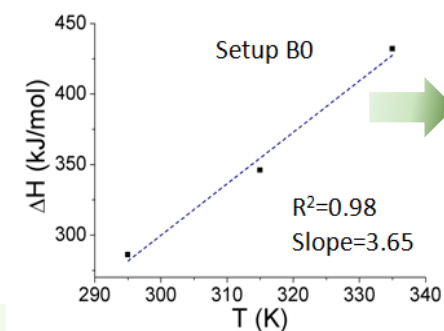
H_f



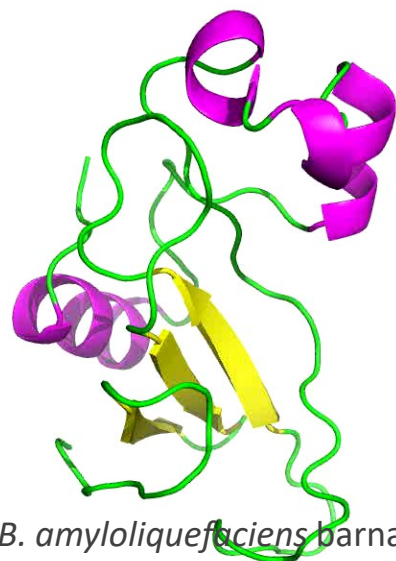
$$\Delta H_{\text{unf}} = H_u - H_f$$

$$\Delta C_{p,\text{unf}} = \delta \Delta H_{\text{unf}} / \delta T$$

Accurate Calculation of Barnase and SNase Folding Energetics Using Short Molecular Dynamics Simulations and an Atomistic Model of the Unfolded Ensemble: Evaluation of Force Fields and Water Models
Galano-Frutos & Sancho, *J. Chem. Inf. Model.* 59:4350-4360 (2019)

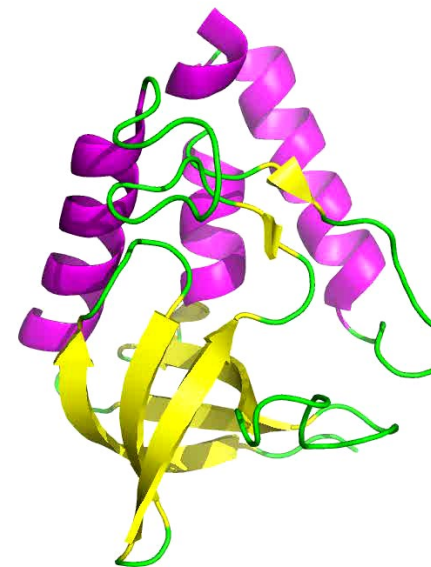


► Calculation of ΔH and ΔC_p



B. amyloliquefaciens barnase

PDB: **1A2P**



S. aureus nuclease

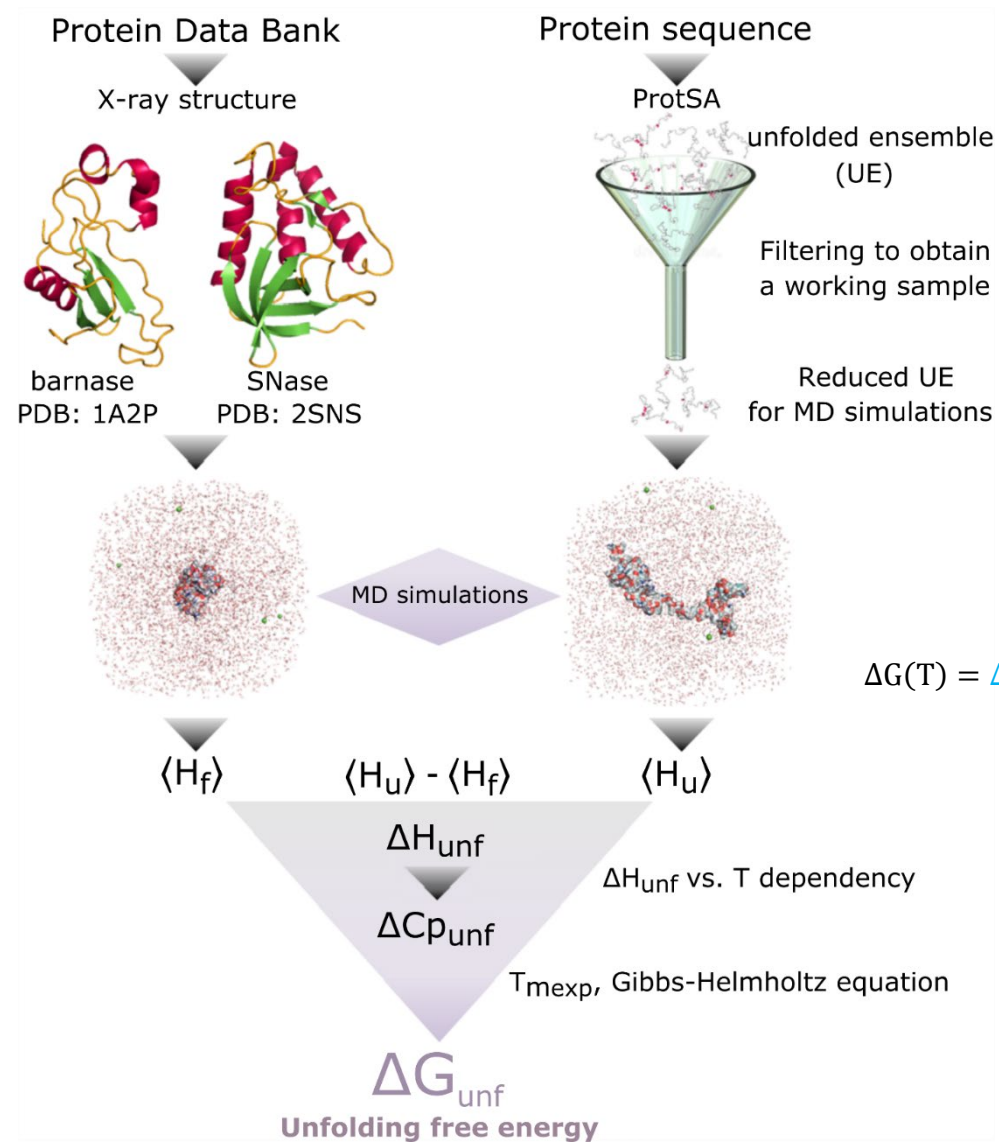
PDB: **2SNS**

Protein	Temp (K)	ΔH_{unf} (kJ/mol)		$\Delta C_{p,\text{unf}}$ (kJ/molK)	
		Experimental	Calculated	Experimental	Calculated
Barnase	315	427 (± 24)	346 ± 27	5.3 \pm 0.7	3.7 ± 0.4
Nuclease	317	248 \pm 25	268 ± 33	6.1 \pm 2.0	7.4 ± 0.1

Accurate Calculation of Barnase and SNase Folding Energetics Using Short Molecular Dynamics Simulations and an Atomistic Model of the Unfolded Ensemble: Evaluation of Force Fields and Water Models
Galano-Frutos & Sancho, *J. Chem. Inf. Model.* 59:4350-4360 (2019)

Footer

► Calculation of ΔG

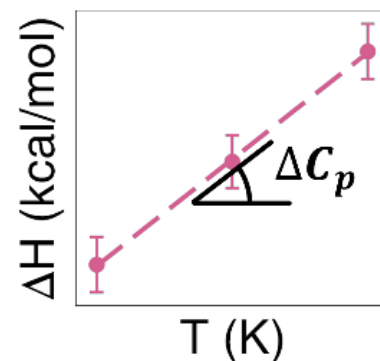
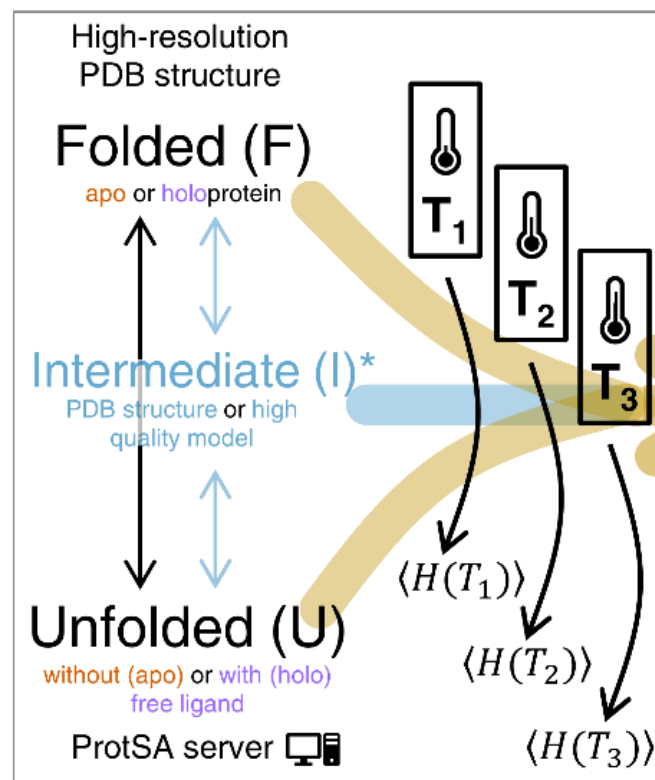


Gibbs- Helmholtz equation

$$\Delta G(T) = \Delta H_{T_m} \times (1 - T/T_m) - \Delta C_p \times [T_m - T + T \times \ln(T/T_m)]$$

► Calculation of ΔG

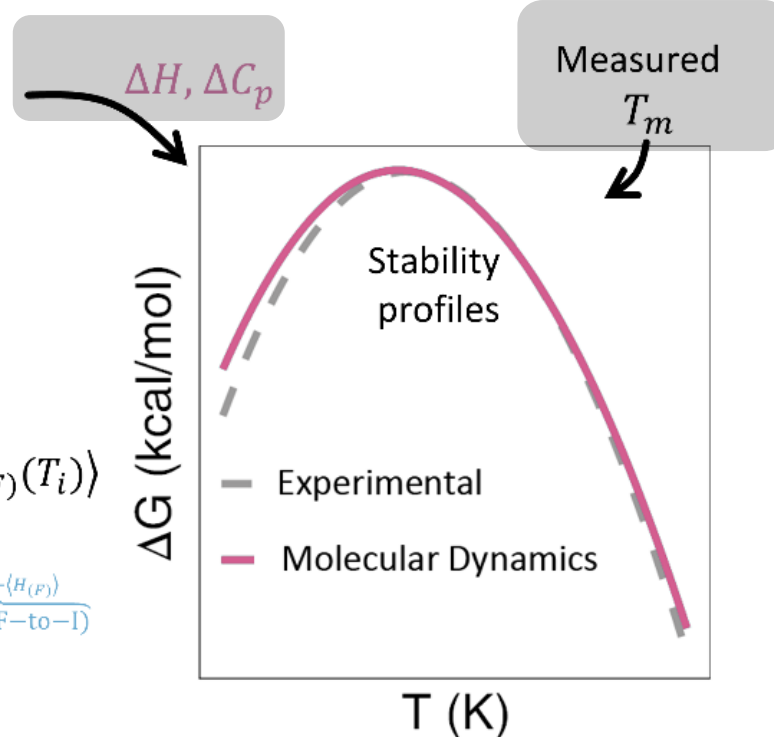
$$\Delta G = \Delta H_{T_m} \times (1 - T/T_m) - \Delta C_p \times [T_m - T + T \times \ln(T/T_m)]$$



$$\Delta H_{unf}(T_i) = \langle H_{(U)}(T_i) \rangle - \langle H_{(F)}(T_i) \rangle$$

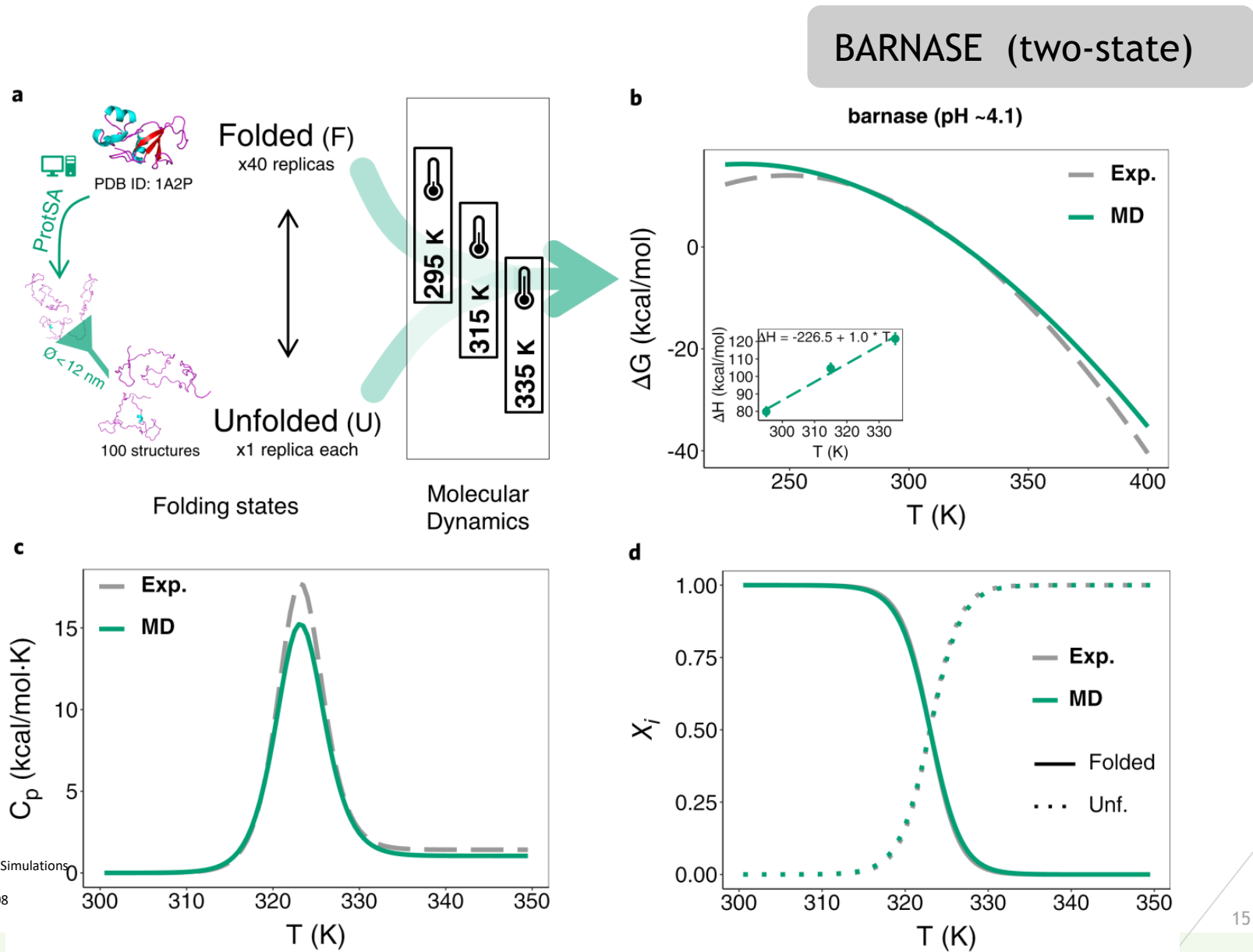
$$^* \Delta H_{unf}(T_i) = \frac{\langle H_{(U)} \rangle - \langle H_{(I)} \rangle}{\Delta H_{unf}(I \rightarrow U)} + \frac{\langle H_{(I)} \rangle - \langle H_{(F)} \rangle}{\Delta H_{unf}(F \rightarrow I)}$$

ΔC_p : Linear relationship
 ΔH vs. T



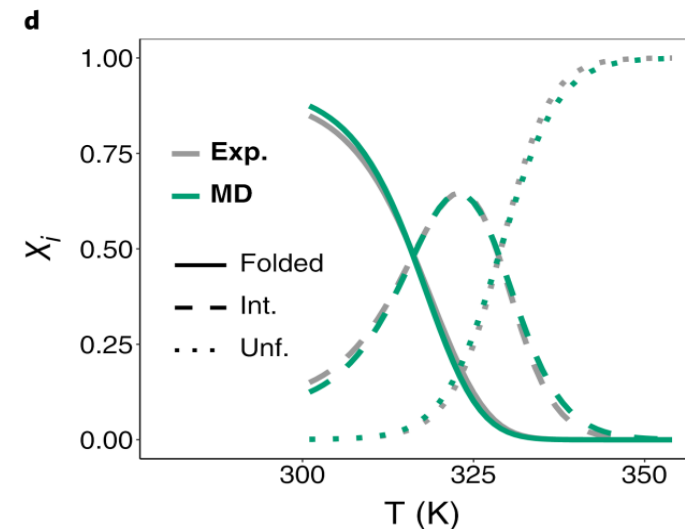
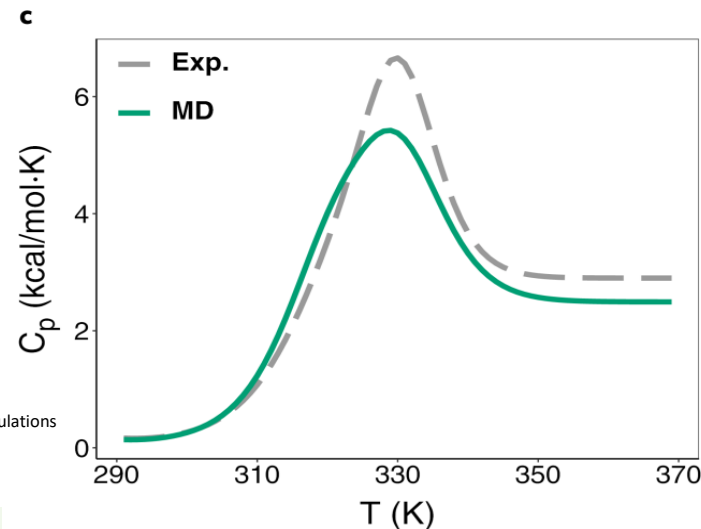
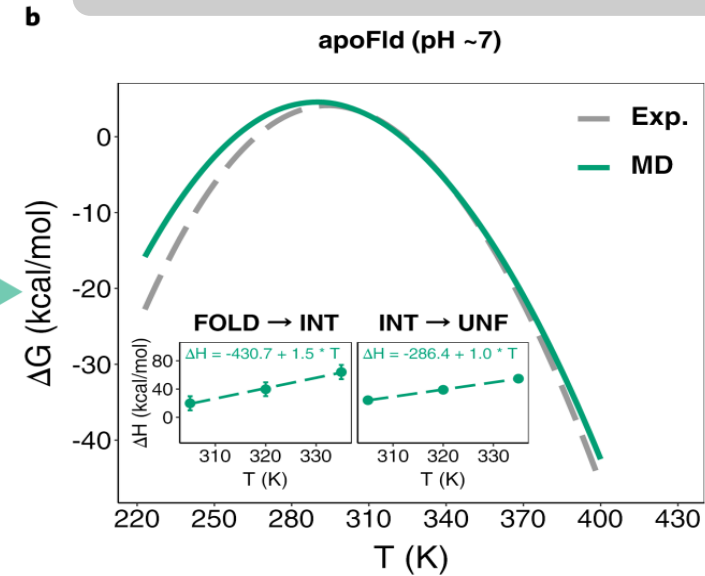
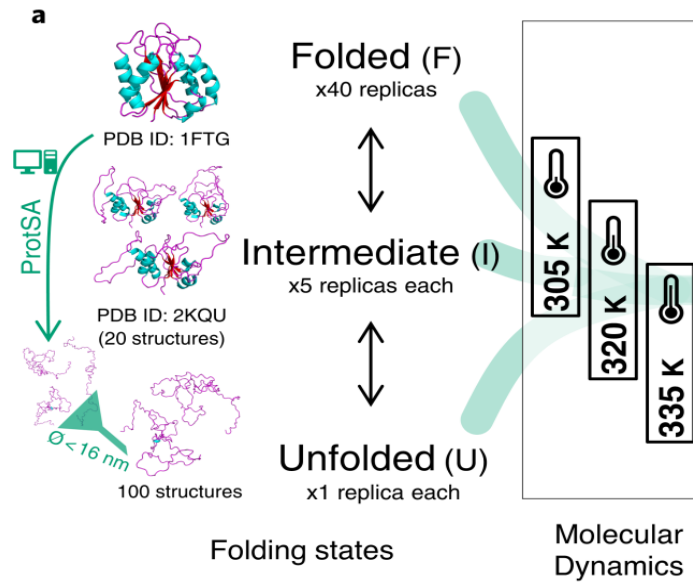
Integrated Gibbs-Helmholtz
equation for $\Delta G(T)$

► Calculation of ΔG

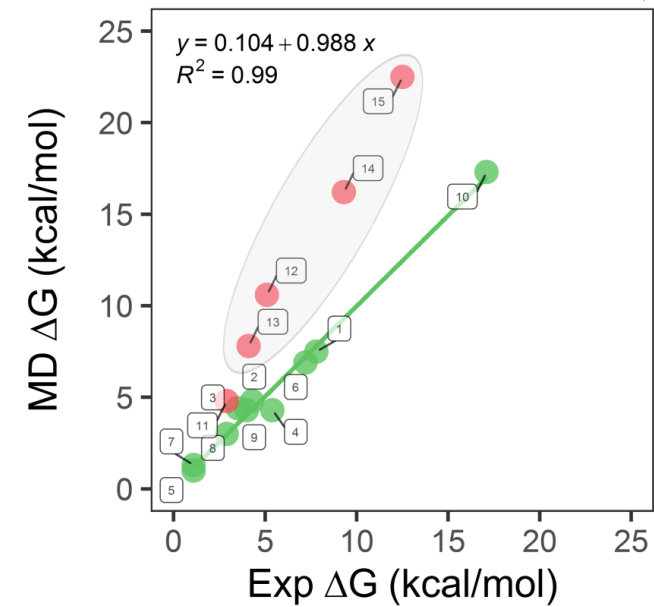
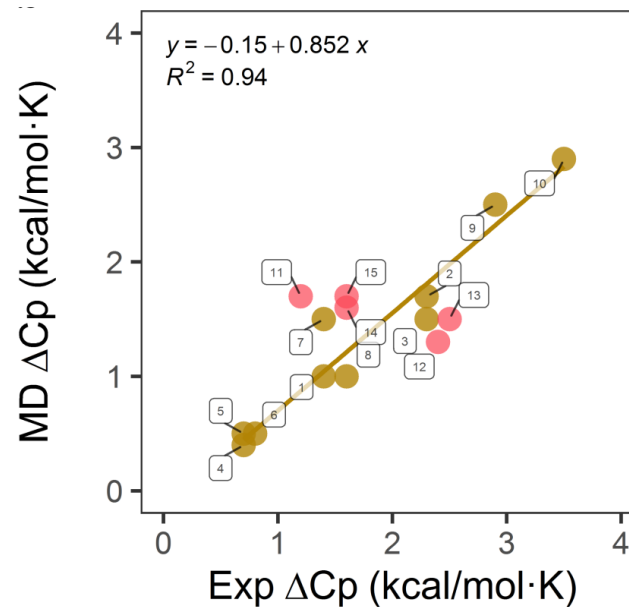
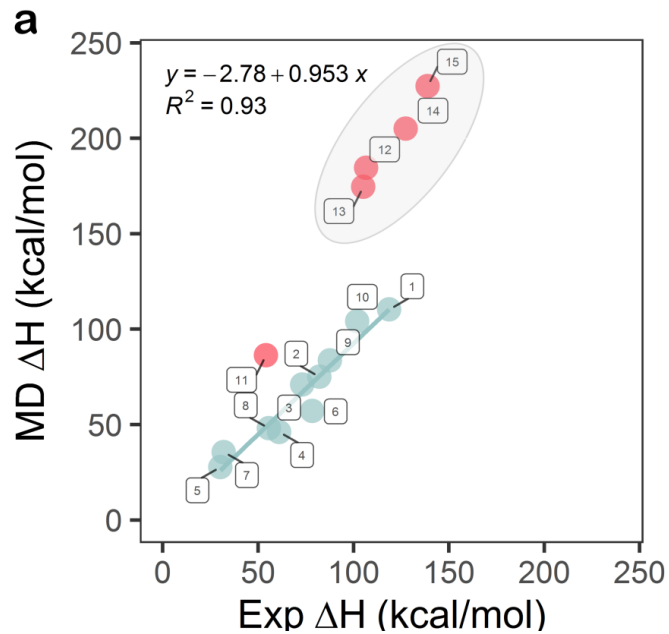


► Calculation of ΔG

APOFLAVODOXIN (three-state)



► Calculation of ΔG



Roads to ΔG from MD simulation

A- From the equilibrium constant K

$$\Delta G = -kT \times \ln(K_{\text{unf}})$$

B- From ΔH and ΔS

$$\Delta G = \Delta H - T \times \Delta S$$

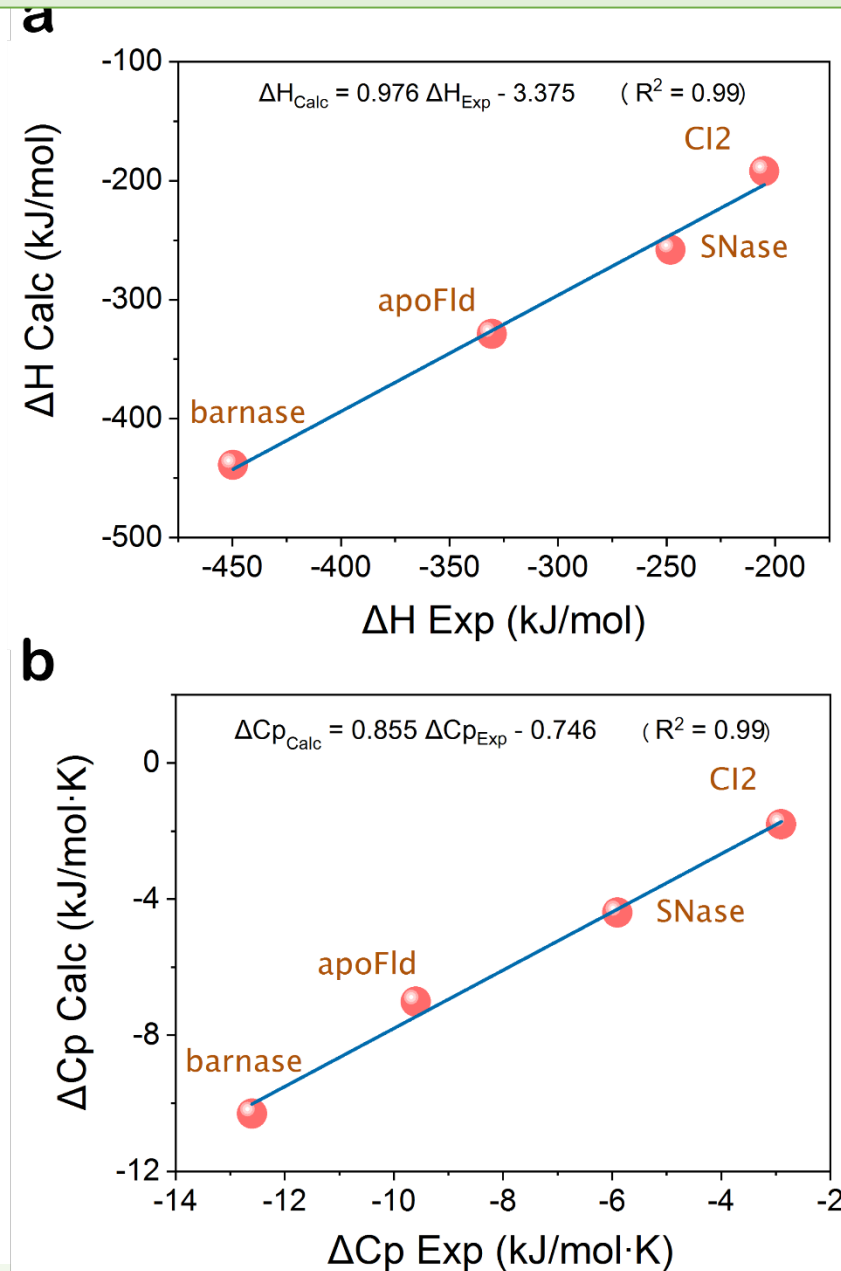
ΔS

C- From ΔH , ΔC_p and T_m

T_m

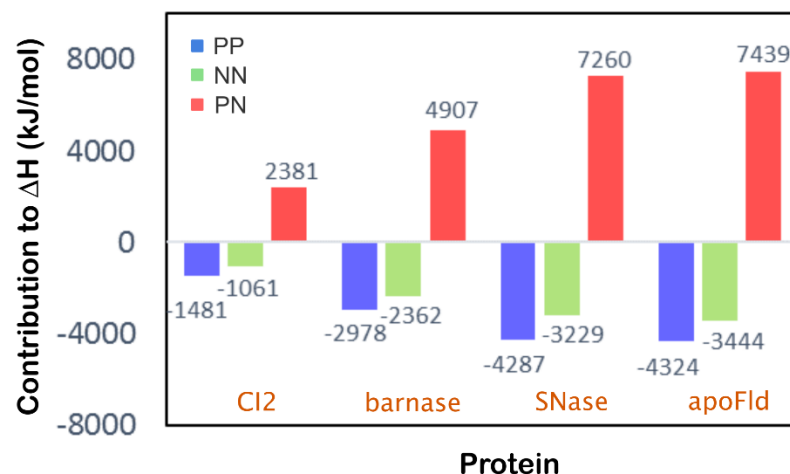
$$\Delta G = \Delta H_{T_m} \times (1 - T/T_m) - \Delta C_p \times [T_m - T + T \times \ln(T/T_m)]$$

► Biophysical insight

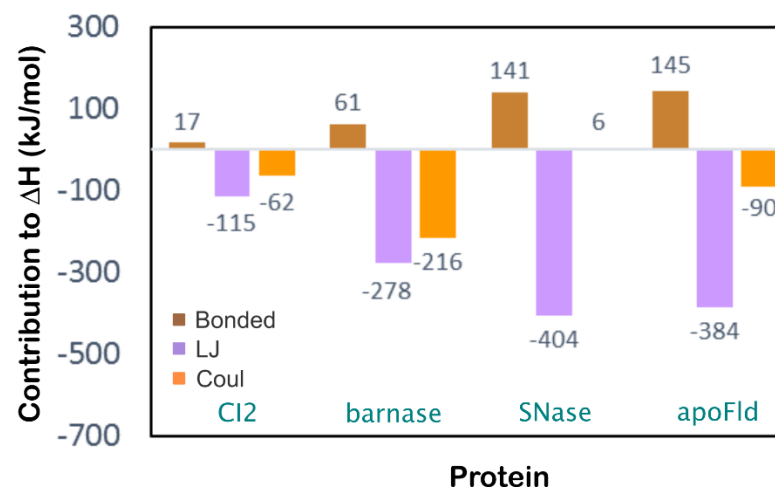


► Biophysical insight

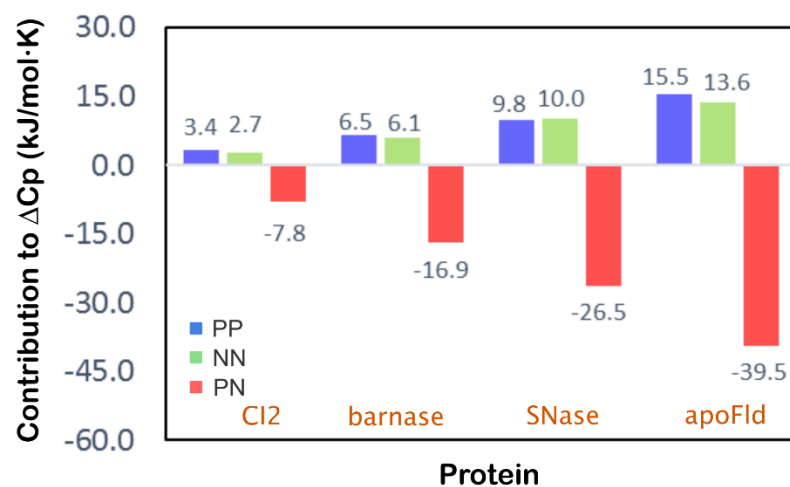
a



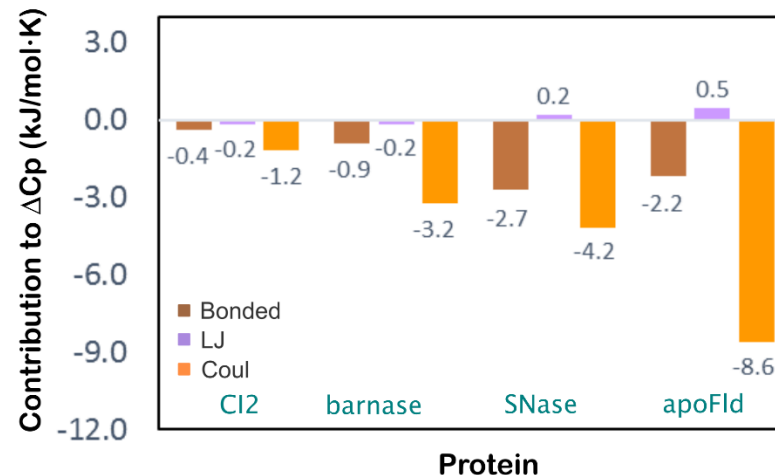
b



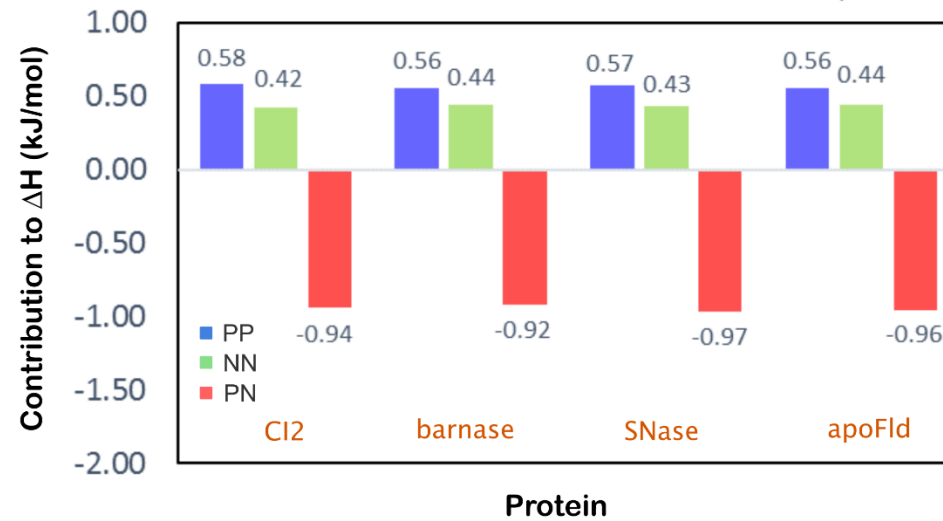
c



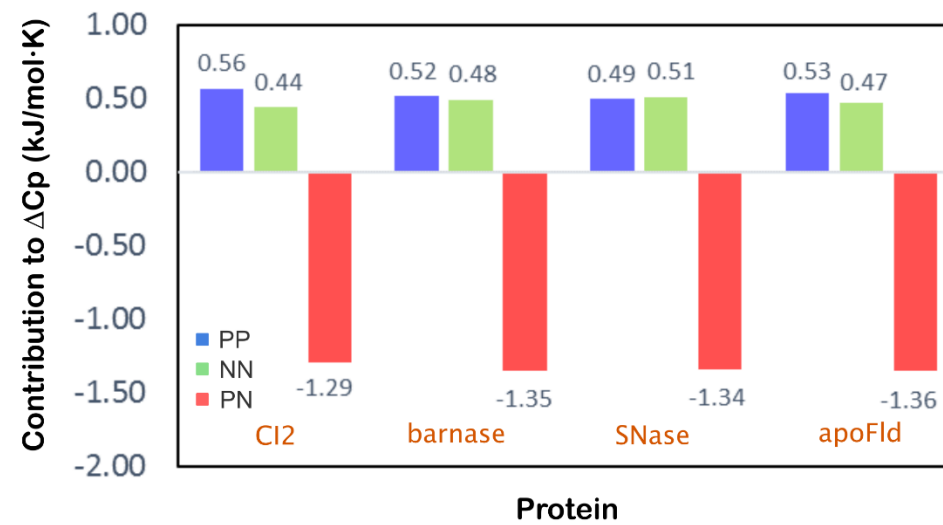
d



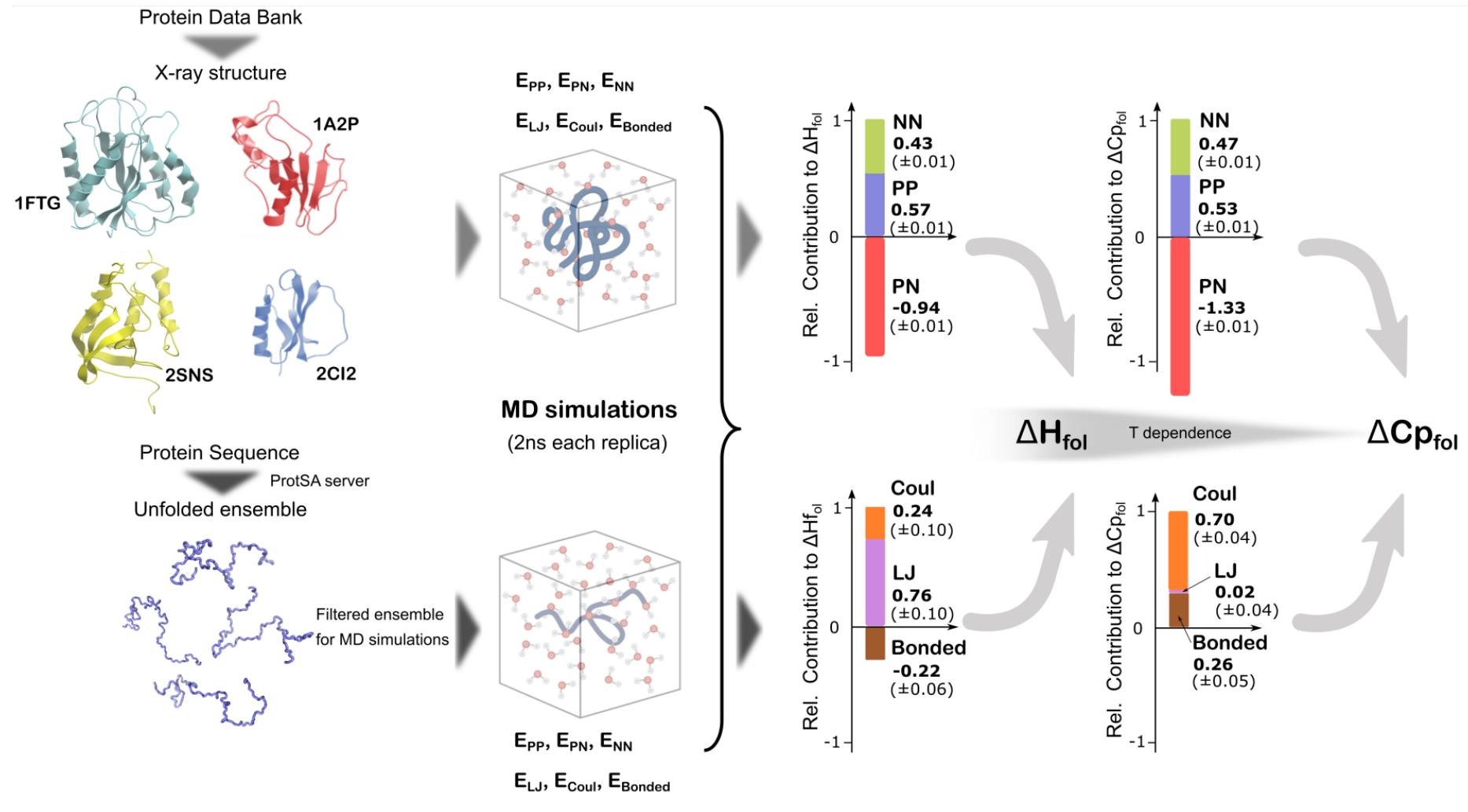
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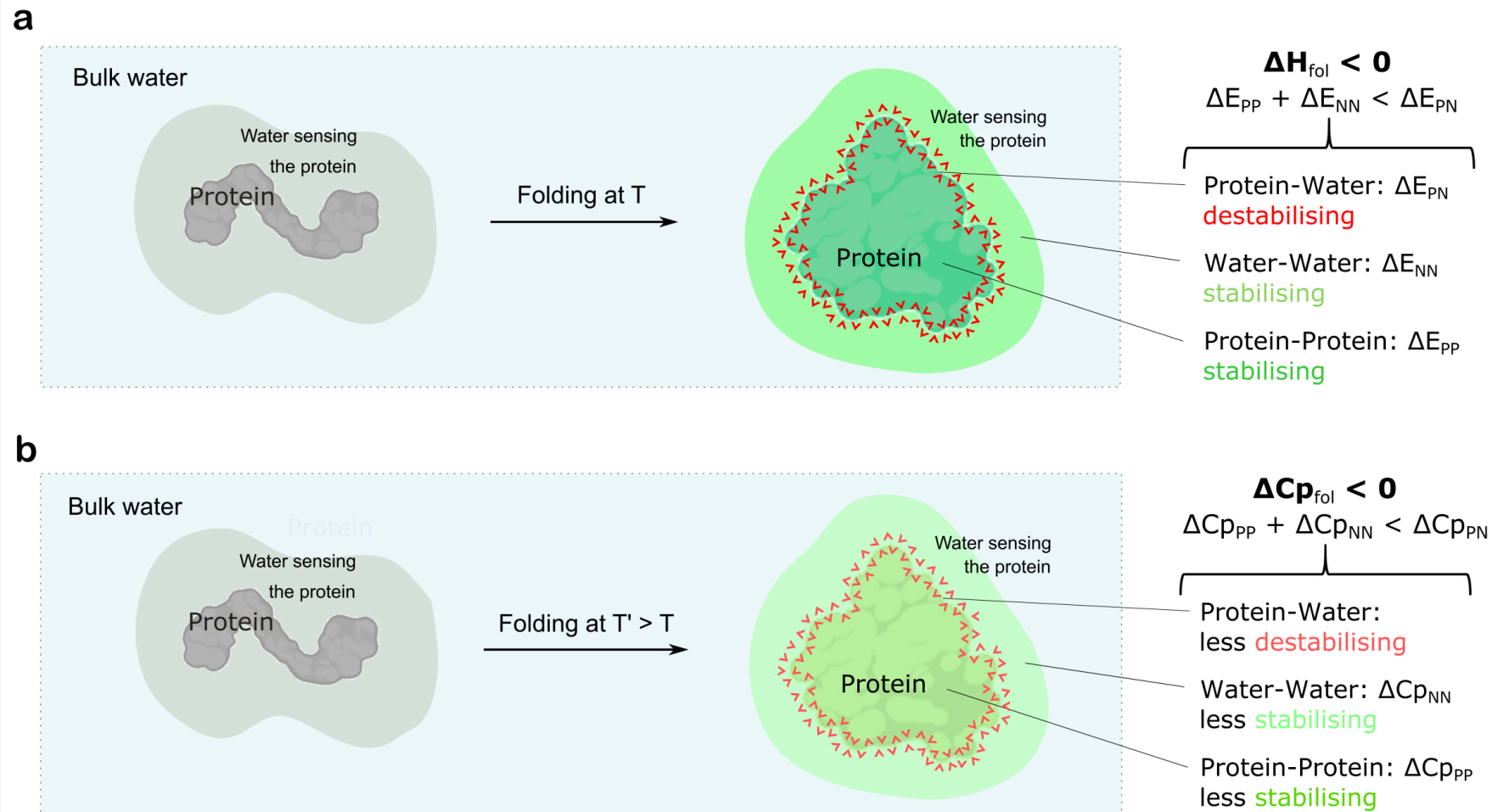


b



► Biophysical insight

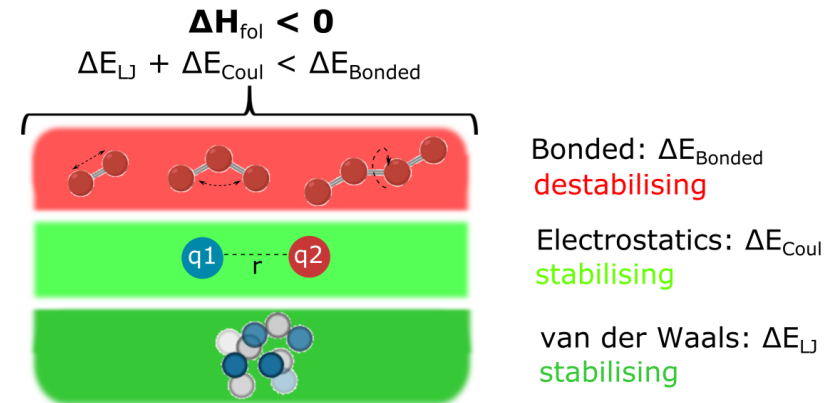
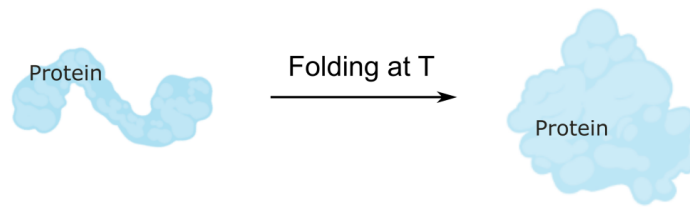




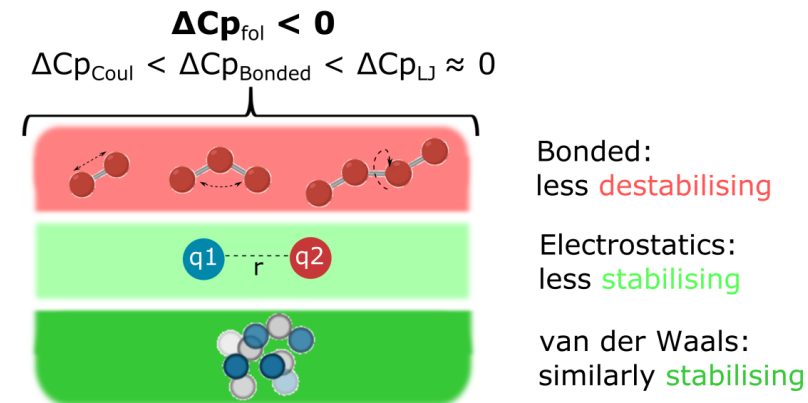
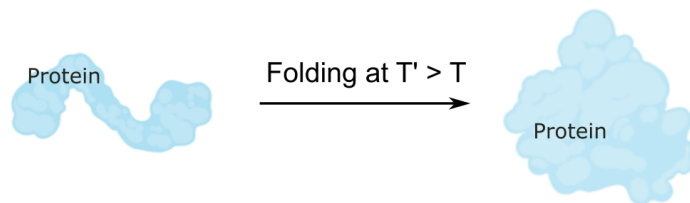
Protein folding in water is driven by a strengthening of van der Waals and coulombic interactions, at the cost of introducing some strain in the folded polypeptide.

A half of the protein-solvent interactions that are lost when the protein folds are compensated by the new interactions that are established between solvent molecules.

c



d



Increasing temperature weakens both the stabilizing and destabilizing molecular contributions to ΔH_{fol} but it weakens more steeply the destabilizing protein-solvent interactions. The overall consequence is that enthalpy stabilizes the folded state more at higher temperatures.

The sign of the heat capacity change is specifically determined by protein-solvent interactions.

► Calculation of $\Delta\Delta G$

1) From ΔG ($\Delta\Delta G = \Delta G - \Delta G'$)

A- From the equilibrium constant K

$$\Delta G = -kT \times \ln(K_{\text{unf}})$$

B- From ΔH and ΔS

$$\Delta G = \Delta H - T \times \Delta S$$

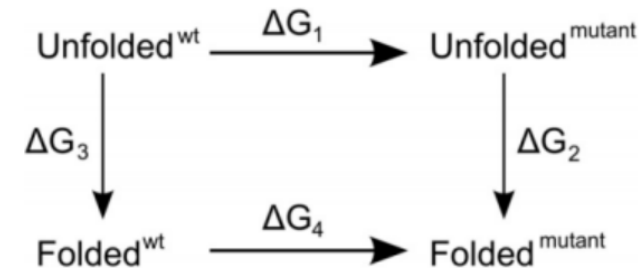
C- From ΔH , ΔC_p and T_m

$$\Delta G = \Delta H_{T_m} \times (1 - T/T_m) - \Delta C_p \times [T_m - T + T \times \ln(T/T_m)]$$

2) From free energy calculations

3) From unfolding simulations

2) From free energy calculations



$$\Delta\Delta G = \Delta G_3 - \Delta G_2 = \Delta G_1 - \Delta G_4$$

Experimentally, we would determine ΔG_3 and ΔG_2 . The difference $\Delta\Delta G = \Delta G_3 - \Delta G_2$ is then the difference in folding free energy between wild type and mutant.

In the simulations, this would be too demanding. However, we can relatively accurately obtain the mutation free energies ΔG_1 and ΔG_4 from "alchemical" mutations in which we morph one amino acid into another and compute the according free energy change in the folded state (ΔG_4) and in the unfolded one (ΔG_1).

► Calculation of $\Delta\Delta G$

1) From ΔG ($\Delta\Delta G = \Delta G - \Delta G'$)

A- From the equilibrium constant K

$$\Delta G = -kT \times \ln(K_{unf})$$

B- From ΔH and ΔS

$$\Delta G = \Delta H - T \times \Delta S$$

C- From ΔH , ΔC_p and T_m

$$\Delta G = \Delta H_{T_m} \times (1 - T/T_m) - \Delta C_p \times [T_m - T + T \times \ln(T/T_m)]$$

2) From free energy calculations

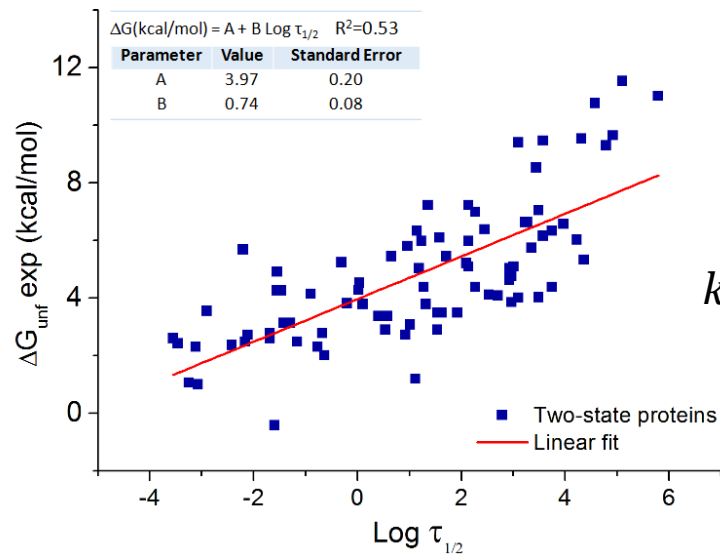
3) From unfolding simulations

3) From unfolding simulations

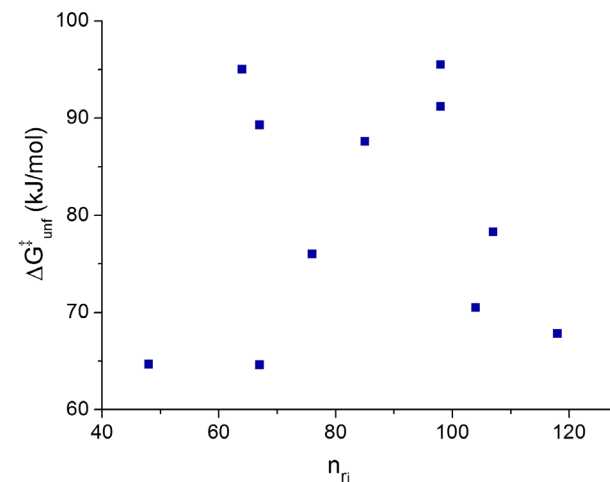
$$\Delta G_{unf} = a + b \times \log \frac{\ln 2}{-\frac{\ln(1 - \chi_{unf})}{\tau_{unf}} \times \frac{298}{T} \times e^{\frac{\Delta G^\ddagger}{R} \times (\frac{1}{T} - \frac{1}{298})}},$$

► Calculation of $\Delta\Delta G$

- ΔG linearly correlates to the log of half-life of unfolding at 298 K of 89 2-state proteins



$$k = \frac{k_B T}{h} \times e^{-\left(\frac{\Delta G^\ddagger}{RT}\right)}$$



$$\Delta G_{unf} = a + b \times \log \frac{\ln 2}{-\frac{\ln(1 - \chi_{unf})}{\tau_{unf}} \times \frac{298}{T} \times e^{\frac{\Delta G^\ddagger}{R} \times \left(\frac{1}{T} - \frac{1}{298}\right)}}$$

► Calculation of $\Delta\Delta G$

Variation

- RMSD / TM-score / RMSDist
- RMSF

Structure

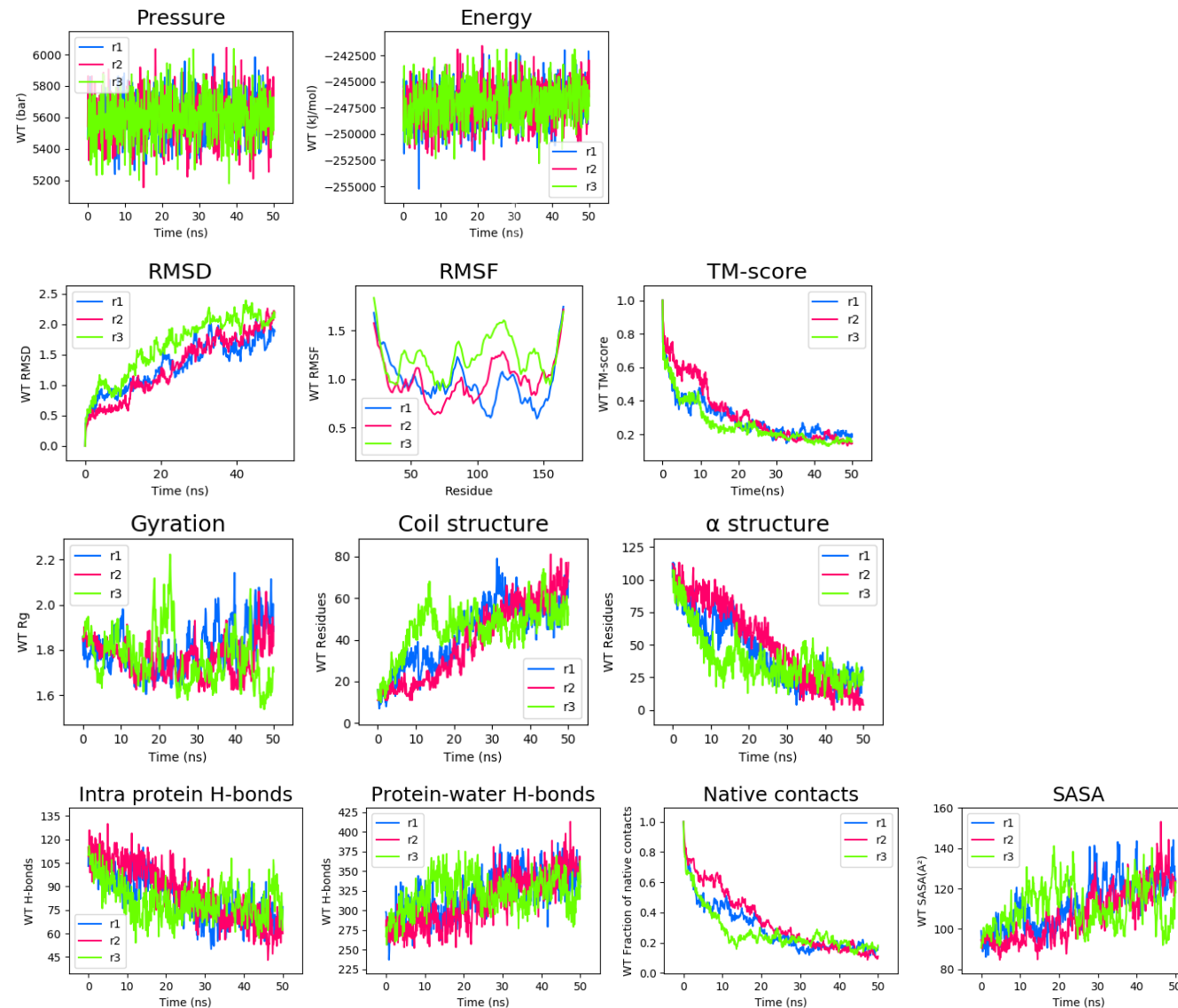
- Radius of gyration
- SASA
- Secondary structure

Interactions

- Hydrogen bonds
- Native contacts

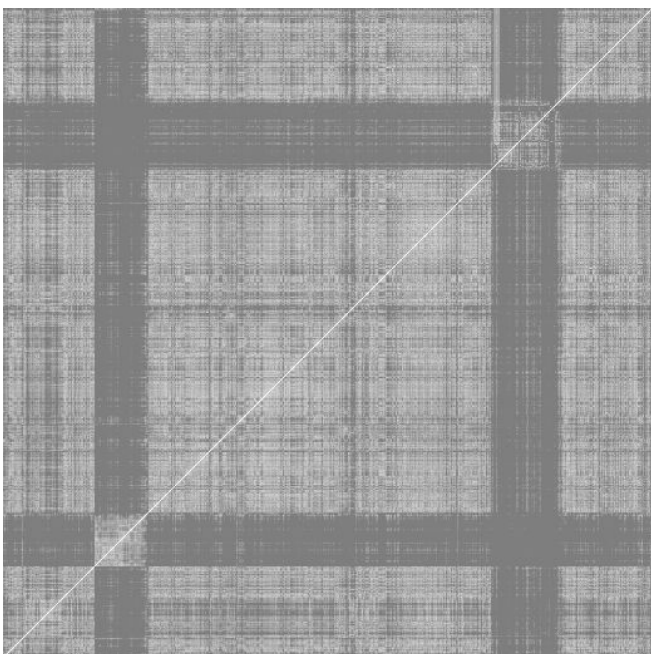
Energetics

- Energy
- Pressure



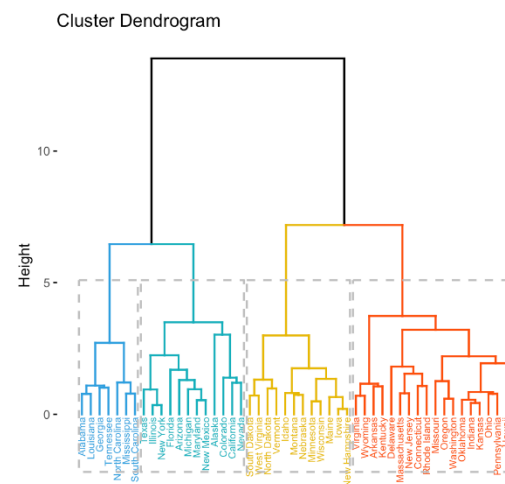
► Calculation of $\Delta\Delta G$

- 2D-RMSD compares all frames of one (or more) trajectory between them, resulting in a matrix.

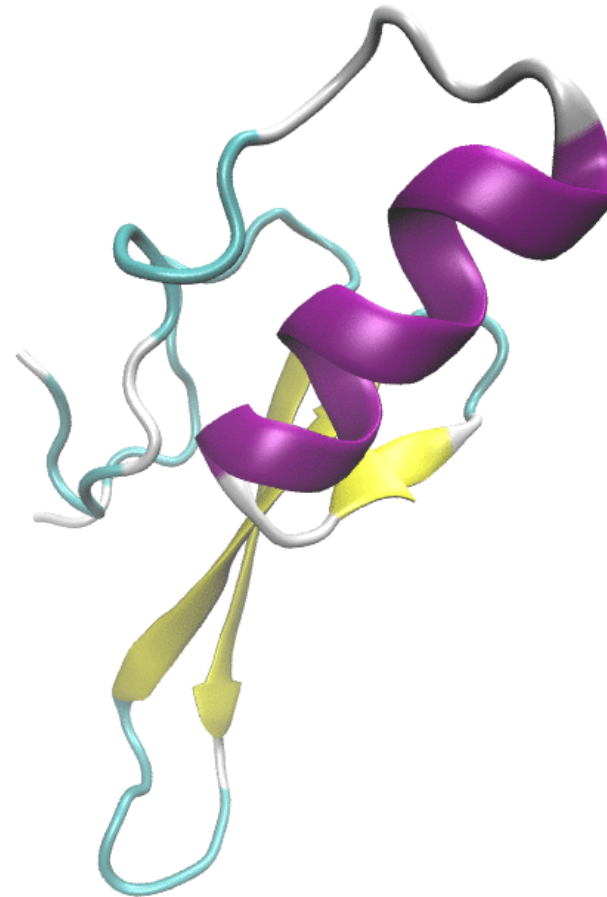
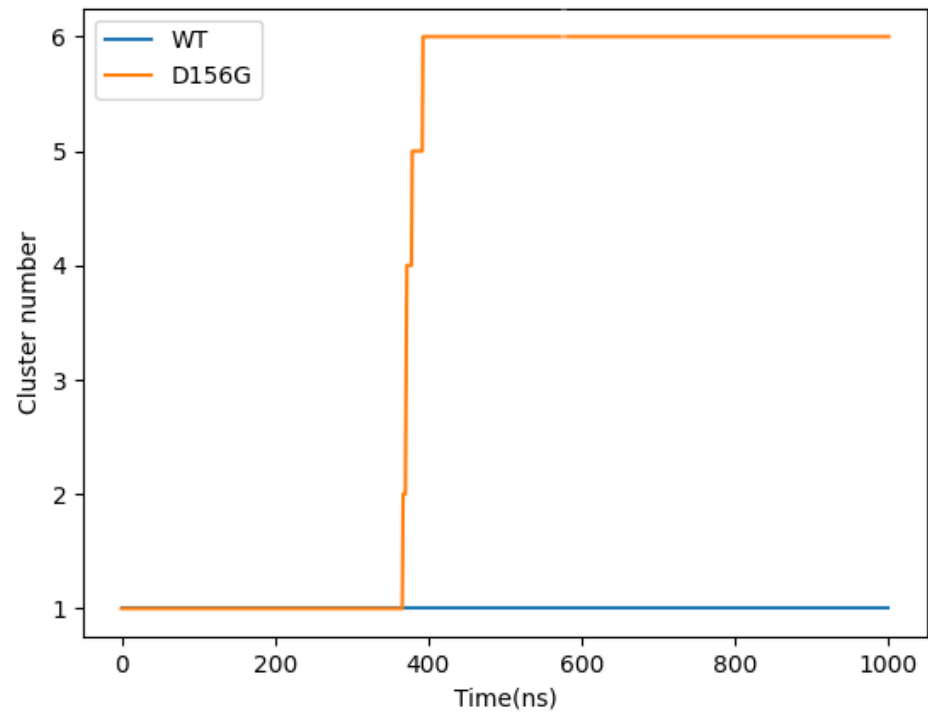


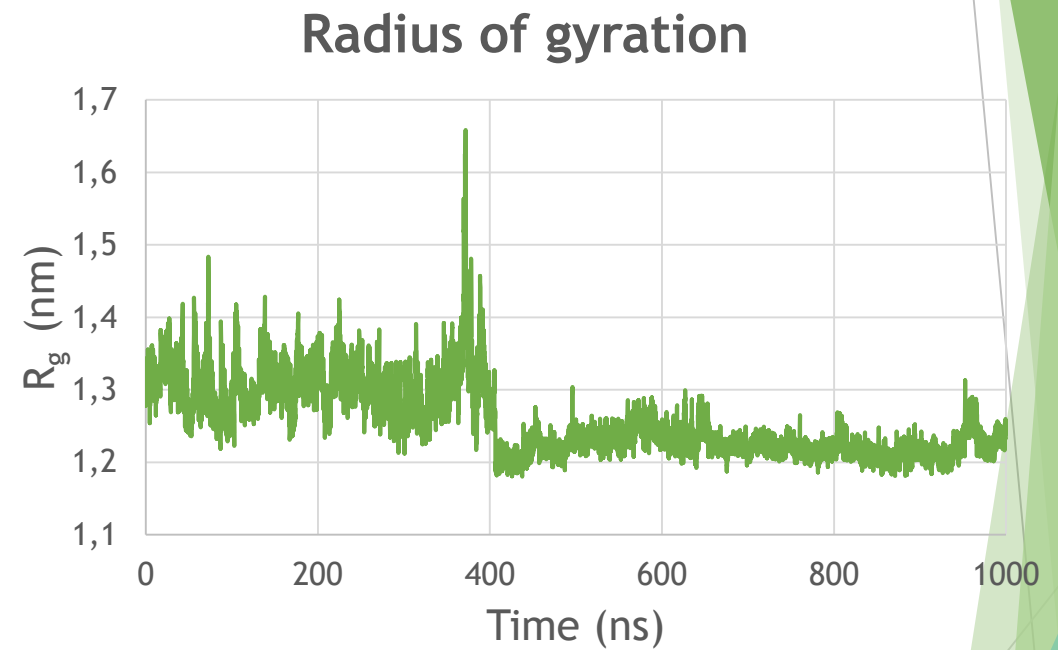
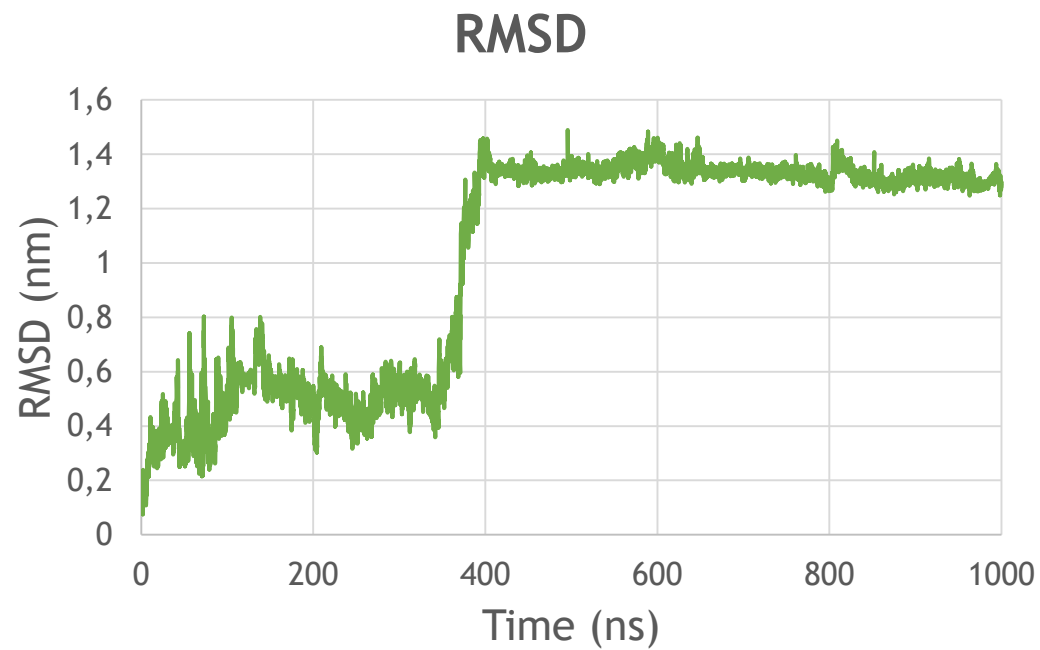
2D-RMSD matrix

- Agglomerative clustering: Each object is a leaf on a tree, it joins branches
- We use 2D-RMSD as a distance matrix
- We plot which cluster the simulation is in at each moment



► Calculation of $\Delta\Delta G$

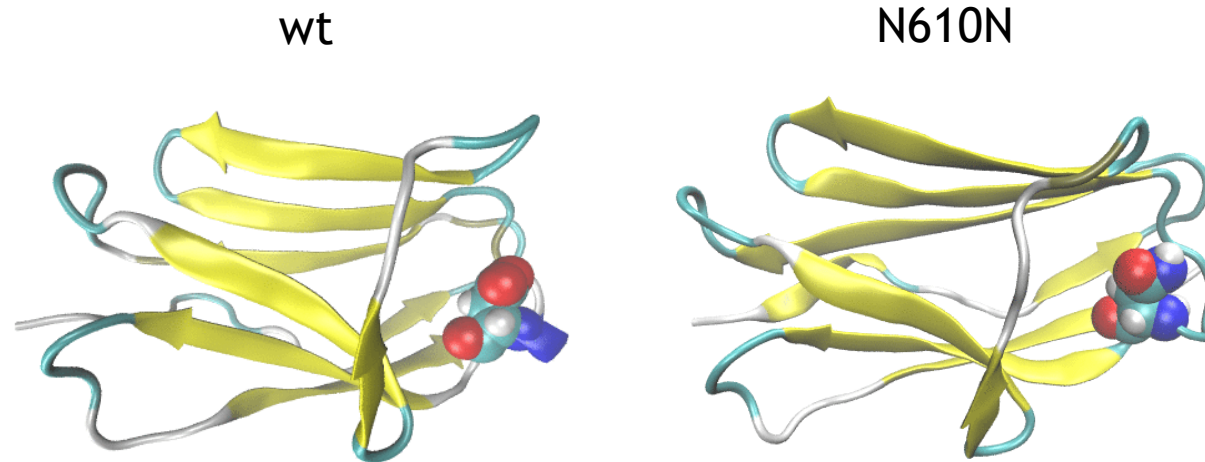
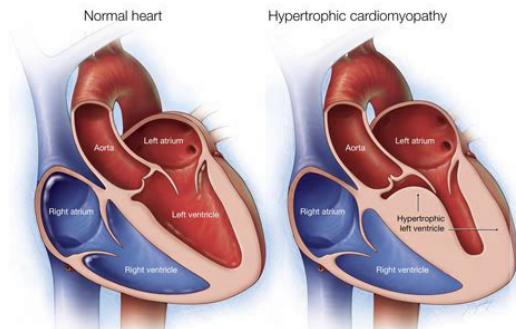




► Calculation of $\Delta\Delta G$

- MYBPC3 is related to hypertrophic cardiomyopathy
- Some variants could not be expressed
- Hypothesis: Too destabilizing expressed

Suay-Corredera C, Pricolo MR, Herrero-Galán E, Velázquez-Carreras D, Sánchez-Ortiz D, García-Giustiniani D, Delgado J, Galano-Frutos JJ, García-Cebollada H, Vilches S, Domínguez F, Molina MS, Barriaes-Villa R, Frisso G, Sancho J, Serrano L, García-Pavía P, Monserrat L, Alegre-Cebollada J. Protein haploinsufficiency drivers identify MYBPC3 variants that cause hypertrophic cardiomyopathy. J Biol Chem. 2021 297:100854.



$$\Delta G_{unf} = a + b \times \log \left(\frac{\ln 2}{-\frac{\ln(1 - \chi)}{\tau_x} \times \frac{298}{T} \times e^{\Delta G^\ddagger \left(\frac{1}{RT} - \frac{1}{298T} \right)}} \right)$$

► Calculation of $\Delta\Delta G$

Frutos JJ, García-Cebollada H, Vilches S, Domínguez F, Molina MS, Barriales-Villa R, Frisso G, Sancho J, Serrano L, García-Pavía P, Monserrat L, Alegre-Cebollada J. Protein haploinsufficiency drivers identify MYBPC3 variants that cause hypertrophic cardiomyopathy. J Biol Chem. 2021 297:100854.

- MYBPC3 is related to hypertrophic cardiomyopathy
- Some variants could not be expressed
- Hypothesis: Too destabilizing to be expressed

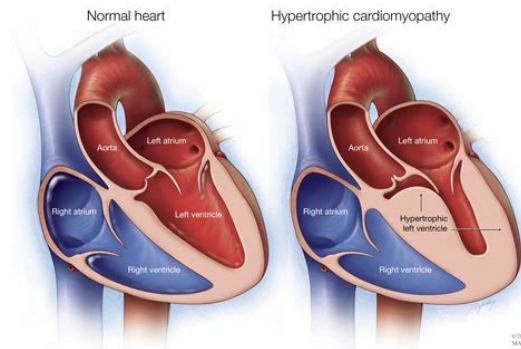


Table 5.38. Summary of the relaxation Molecular Dynamics simulations in cMyBP-C (Partly adapted from ¹⁴¹)

Structure	Domain-Variant	Rep	WT			Variant			$\Delta\Delta G^a$ (kcal/mol)
			Unfolding time (ns)	Unfolded fraction (time, ns)	ΔG_u (kcal/mol)	Unfolding time (ns)	Unfolded fraction (time, ns)	ΔG_u (kcal/mol)	
PDB ID: 3CX2	C1-P187R	1	>1000			>1000			
		2	>1000	<0.01 (1000)	>3.92±0.33	>1000	<0.01 (1000)	>3.92±0.33	NA
		3	>1000			>1000			
PDB ID: 2MQ0	C3-V471E	1	>1000			>1000			
		2	>1000	<0.01 (1000)	>3.92±0.33	830	0.33 (1000)	2.74±0.38	>1.18±0.71
		3	>1000			>1000			
Homology model	C4-D610N	1	>1000			520			
		2	>1000	0.33 (1000)	2.74±0.38	430	>0.99 (520)	<1.74±0.47	>1.00±0.85
		3	750			180			
PDB ID: 1GXE	C5-P645L	1	250			0			
		2	50	>0.99 (250)	<1.51±0.50	10	>0.99 (10)	<0.47±0.60	~1.04±1.1
		3	50			0			
Homology model	C9-R1138H (His ⁹)	1	>1000			320			
		2	>1000	<0.01 (1000)	>3.92±0.33	320	>0.99 (860)	<1.90±0.46	>2.02±0.79
		3	>1000			860			
Homology model	C9-R1138H (His ⁹)	1	>1000			>1000			
		2	>1000	<0.01 (1000)	>3.92±0.33	630	0.66 (1000)	2.42±0.41	>1.5±0.74
		3	>1000			860			
Homology model	C10-G1206D	1	>1000			400			
		2	>1000	<0.01 (1000)	>3.92±0.33	10	>0.99 (400)	<1.66±0.48	>2.26±0.81
		3	>1000			250			
Homology model	C10-T1237P	1	>1000			>1000			
		2	>1000	<0.01 (1000)	>3.92±0.33	>1000	0.33 (1000)	2.74±0.38	>1.18±0.71
		3	>1000			620			
Homology model	C10-Y1251H	1	>1000			100			
		2	570	0.33 (1000)	2.74±0.38	630	0.66 (1000)	2.42±0.41	0.32 ±0.81
		3	>1000			>1000			
Homology model	C10-L1268P	1	>1000			190			
		2	540	0.33 (1000)	2.74±0.38	200	>0.99 (200)	<1.44±0.50	>1.30±0.88
		3	>1000			30			

^a Positive $\Delta\Delta G$ values are indicative of mutant-induced domain destabilization at 298 K.

DAY 3 (5 July, 2023) 15:00/17:00

Molecular Dynamics simulations and stability calculation

- ▶ MD simulations
 - ▶ Observing unfolding: relaxation MD
 - ▶ Calculation of ΔH and ΔC_p
 - ▶ Calculation of ΔG
 - ▶ Biophysical insight
 - ▶ Calculation of $\Delta\Delta G$
- ▶ More questions?

dd/mm/yyyy

Footer

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